

Revisite de l'ajustement des paramétrisations de nuages dans LMDZ à l'aide d'émulateurs.

Frédéric Hourdin, Arnaud Jam, Fleur Couvreur, Catherine Rio, Binta Diallo,
Daniel Williamson, Victoria Volodina, Marie-Pierre Lefebvre.

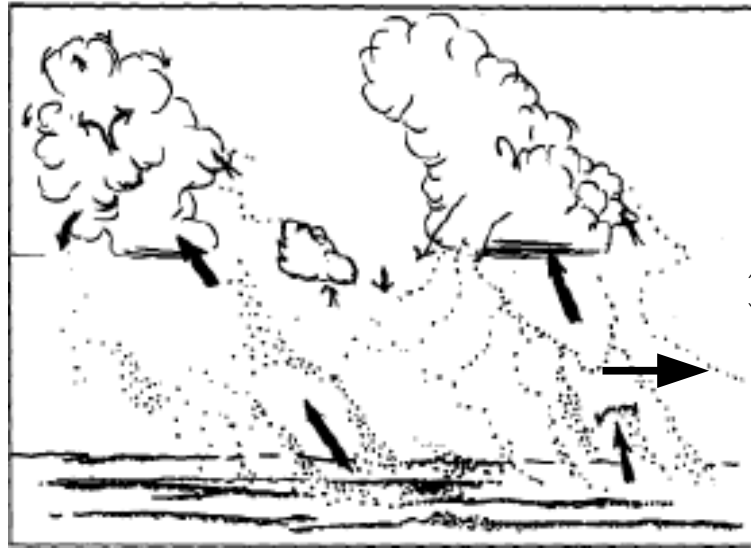
I. Parameterization de nuages dans LMDZ

II. Revisite à l'aide d'émulateur (processus gaussien) et refocalisation itérative

The thermal plume model and associated clouds

Hourdin et al., JAS, 2002; Rio et Hourdin, JAS, 2008, Rio et al., 2010, Jam et al., 2013

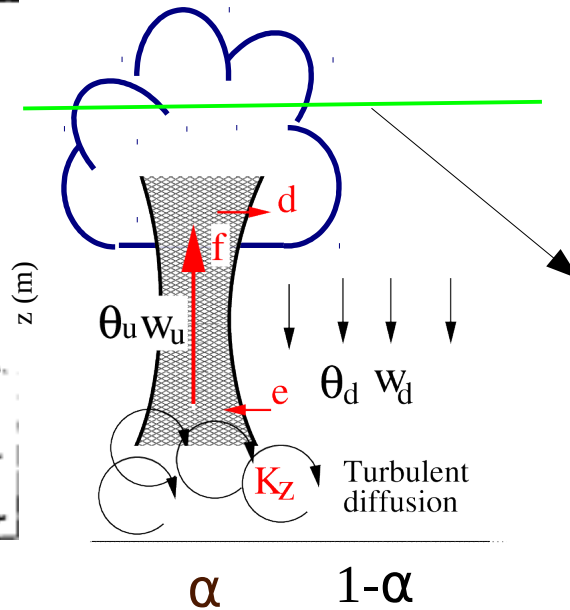
LeMone and Pennell, MWR, 1976



x

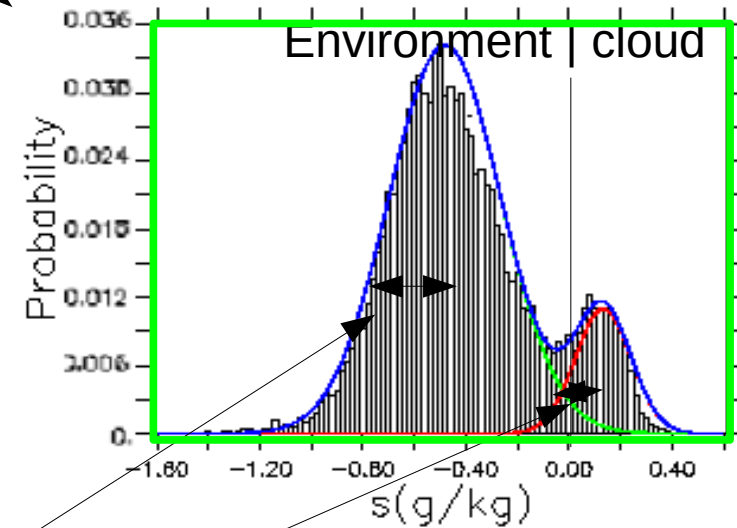
Internal variables

- w: mean vertical velocity within thermals
- α : fractional coverage of thermals
- e: entrainment rate within thermals
- d: detrainment rate from thermals
- qa: concentration of q within thermals



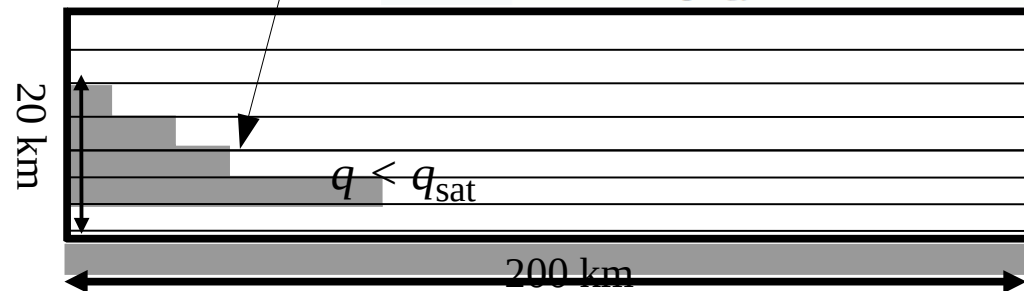
Parameterization of the subgrid-scale distribution of $s=q-q_{sat}$
Jam et al., 2010

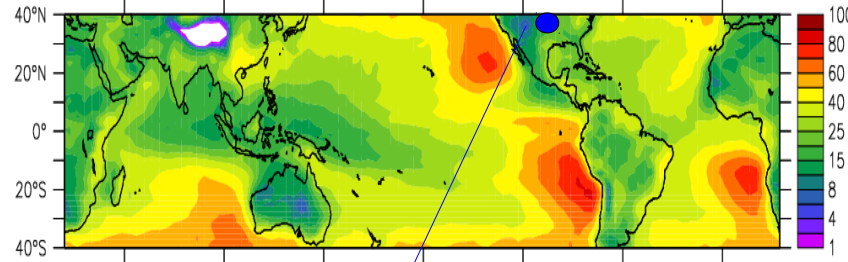
$$\overline{s}_{env} = \overline{s} \quad \overline{s}_{th} = \overline{s}_u$$



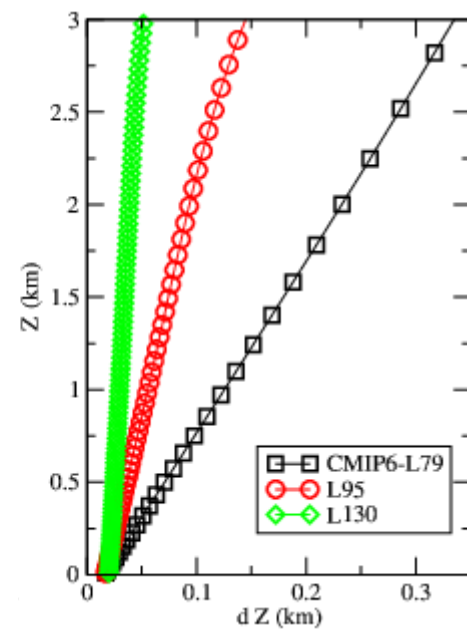
$$\sigma_{s,env} = c_{env} \times \left(\frac{\alpha}{1-\alpha}\right)^{\frac{1}{2}} \times (\overline{s}_{th} - \overline{s}_{env}) + b \times \overline{q}_{t_{env}}$$

$$\sigma_{s,th} = c_{th} \times \left(\frac{\alpha}{1-\alpha}\right)^{-\frac{1}{2}} \times (\overline{s}_{th} - \overline{s}_{env}) + b \times \overline{q}_{t_{th}}$$

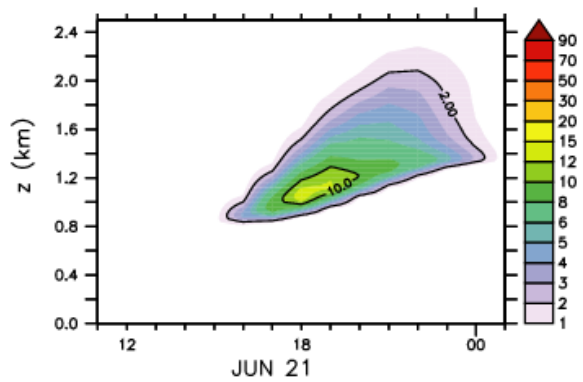
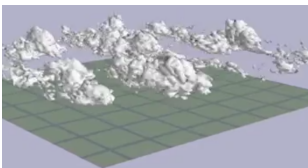




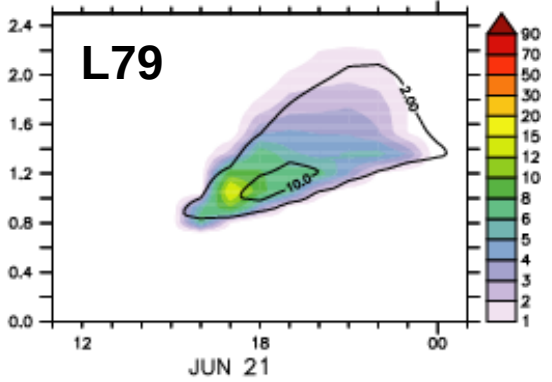
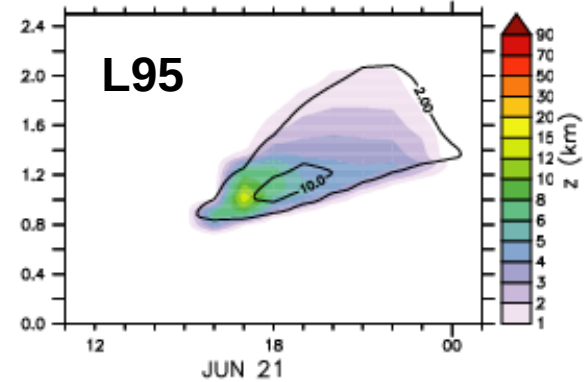
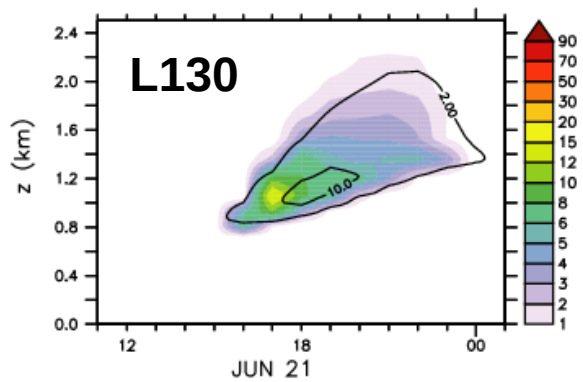
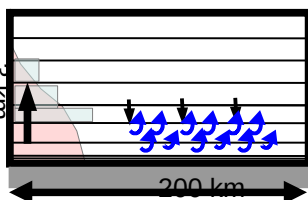
ARM cumulus case



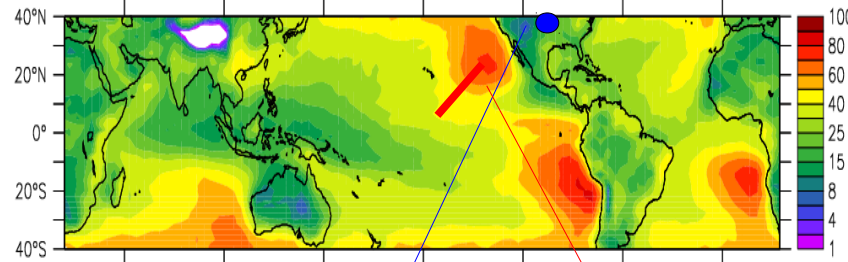
LES



LMDZ5B



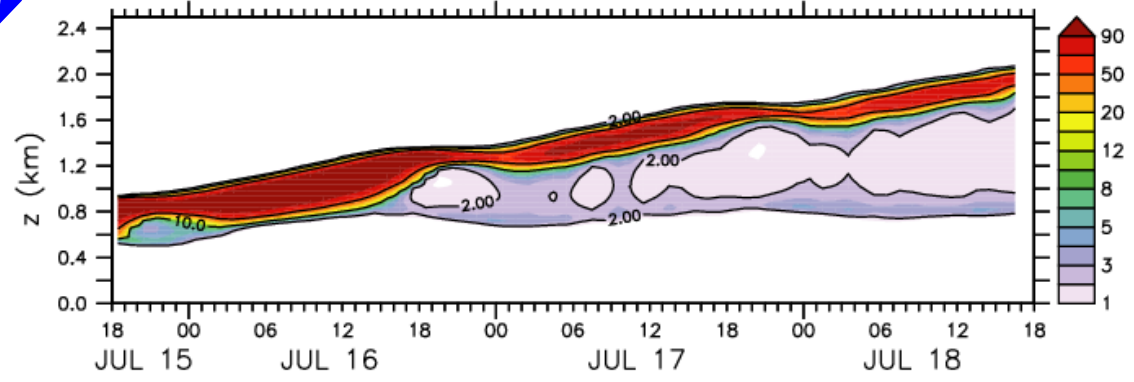
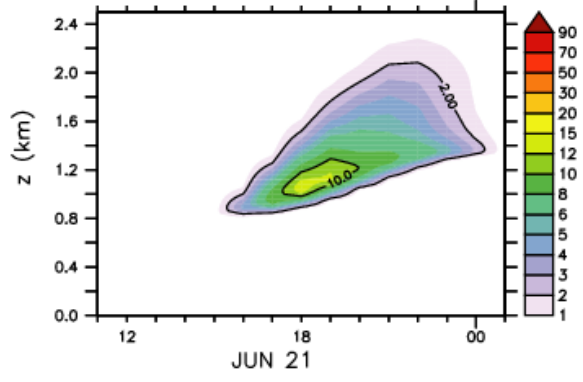
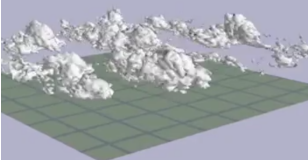
SCM/LES comparison, LMDZ5B version = thermal plume model with bigaussian distribution
 → Reasonable representation of cumulus clouds



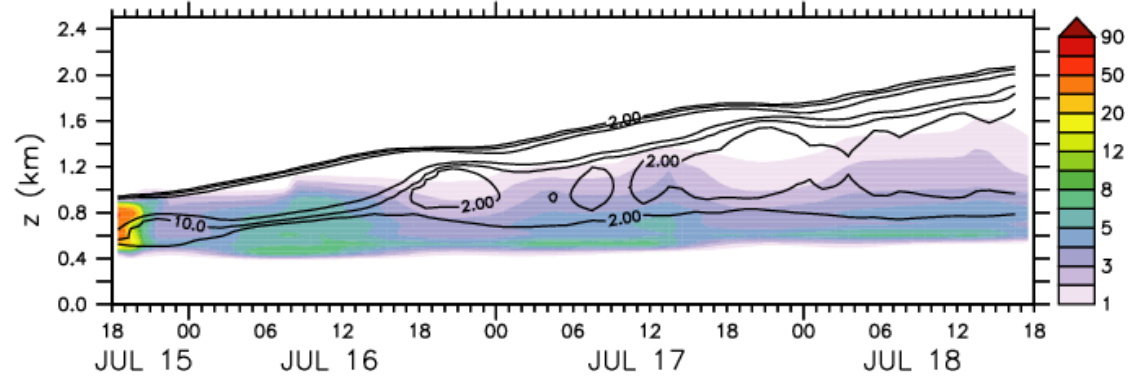
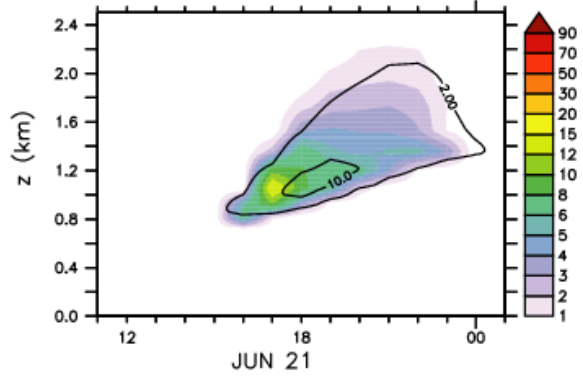
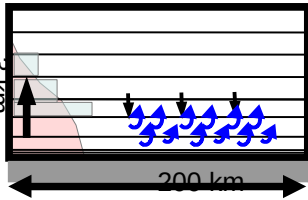
ARM cumulus case

REF transition case

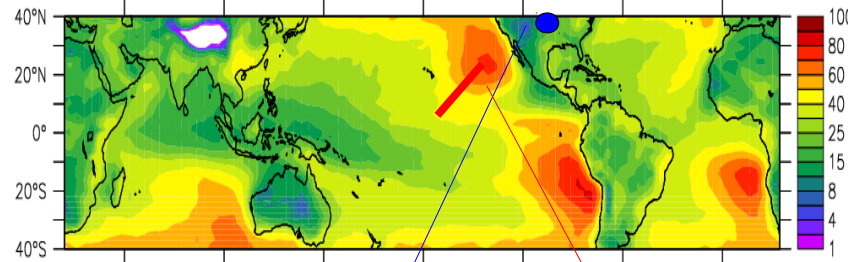
LES



LMDZ5B/L130



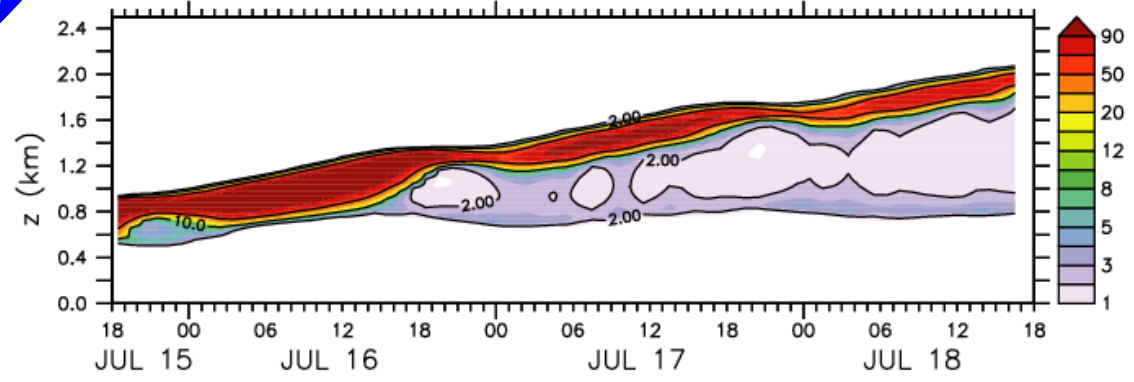
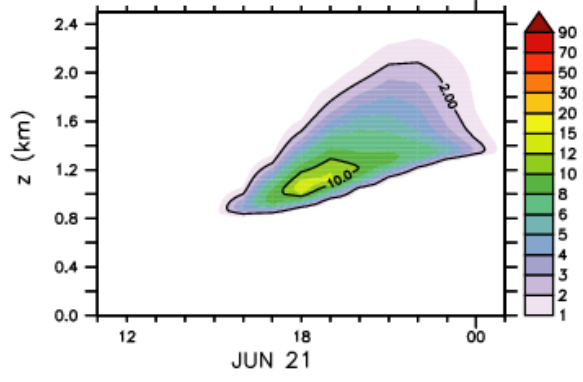
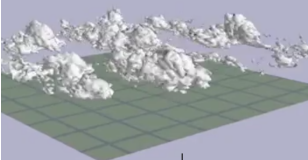
- SCM/LES comparison, LMDZ5B version = thermal plume model with bigaussian distribution
- Reasonable representation of cumulus clouds
 - But not the stratocumulus clouds nor the transition from cumulus to stratocumulus



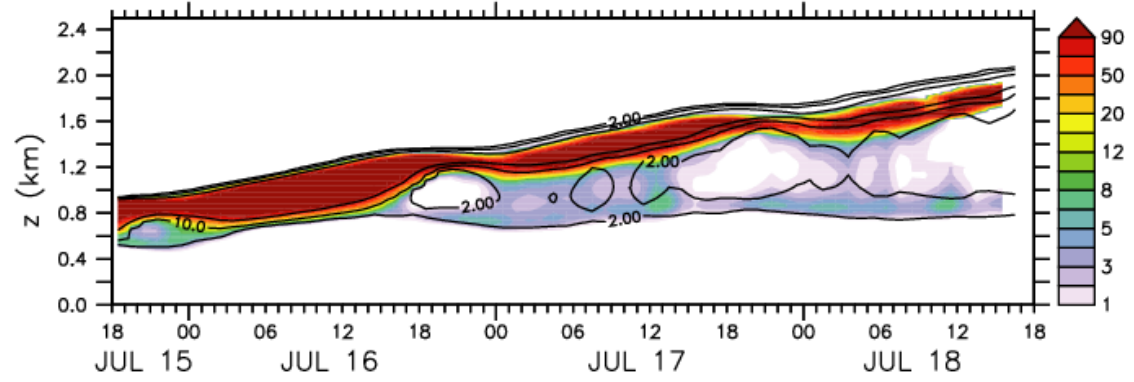
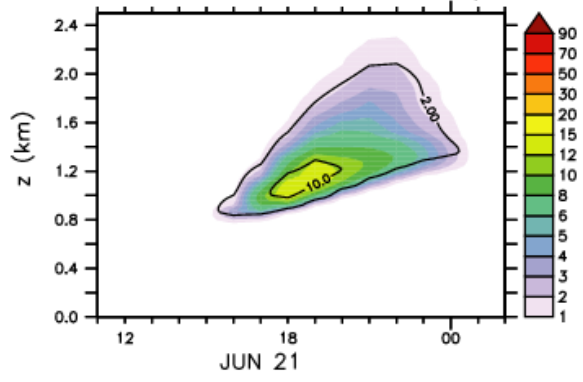
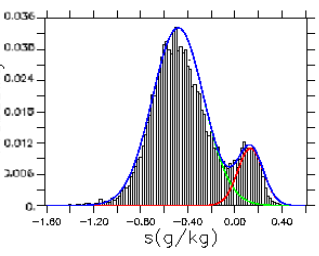
ARM cumulus case

REF transition case

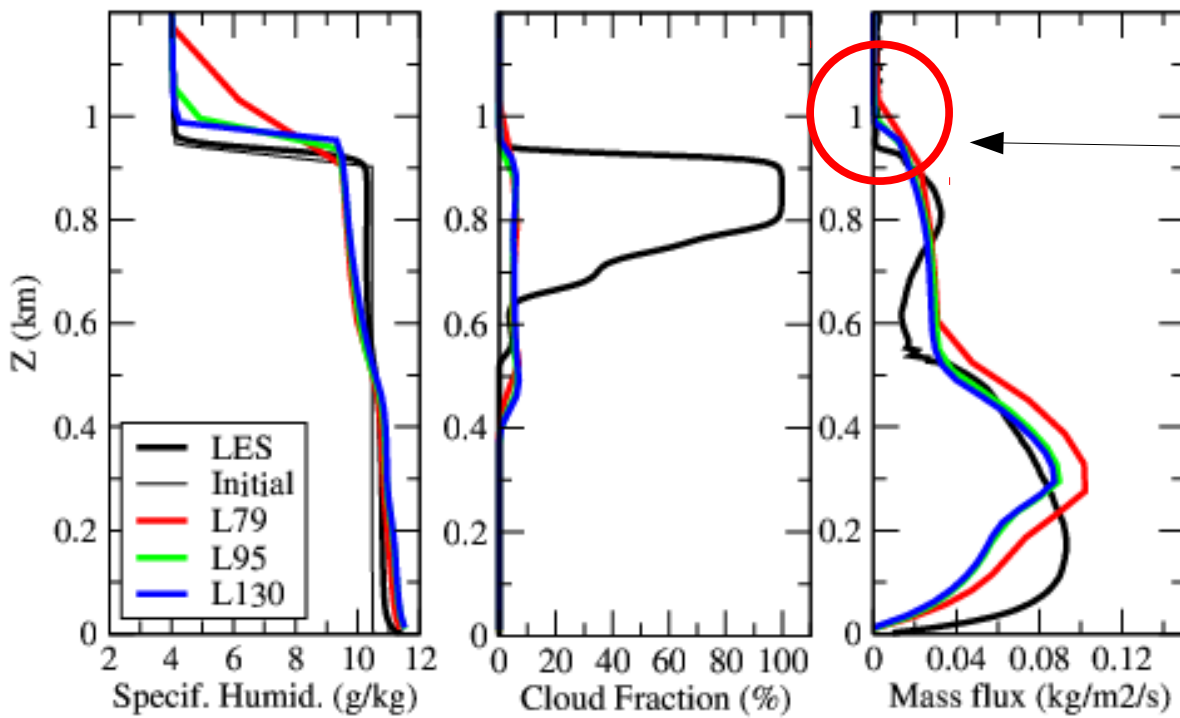
LES



Bi-Gaussian

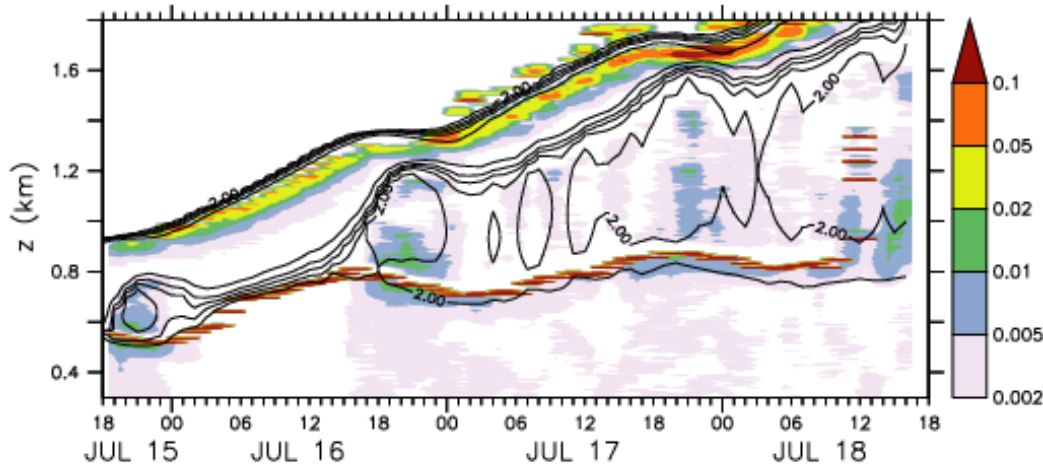


- SCM/LES comparison, LMDZ5B version = thermal plume model with bigaussian distribution
- Reasonable representation of cumulus clouds
 - But not the stratocumulus clouds nor the transition from cumulus to stratocumulus
 - Bi-gaussian cloud schemes works fine when applied to the LES sampled variables



Vertical profiles after 3 hours.
The mass flux overshoots two far above inversion

LES



LES : detrainment (colors) and cloud cover (contour)
All the air should be detrained below cloud top.

L130

Origine of the disappearance of stratocumulus :
The thermal plume model overshoots and mixes too much dry air from above inversion with the cloud top layer.

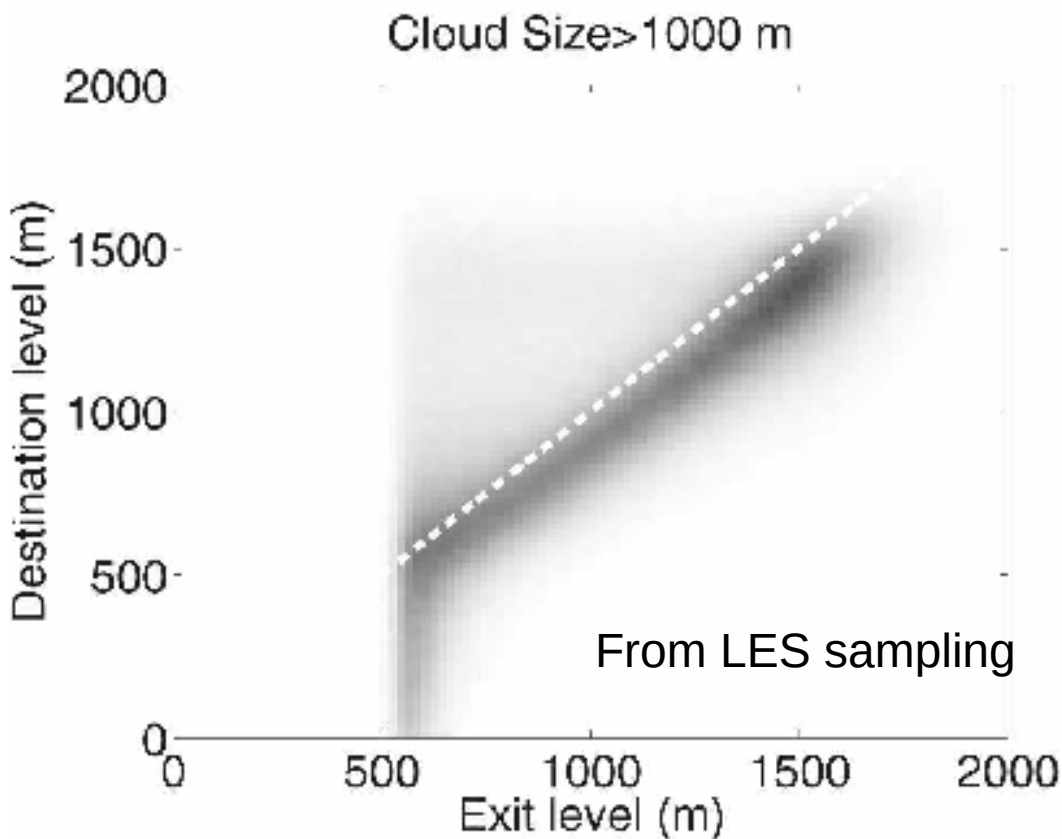
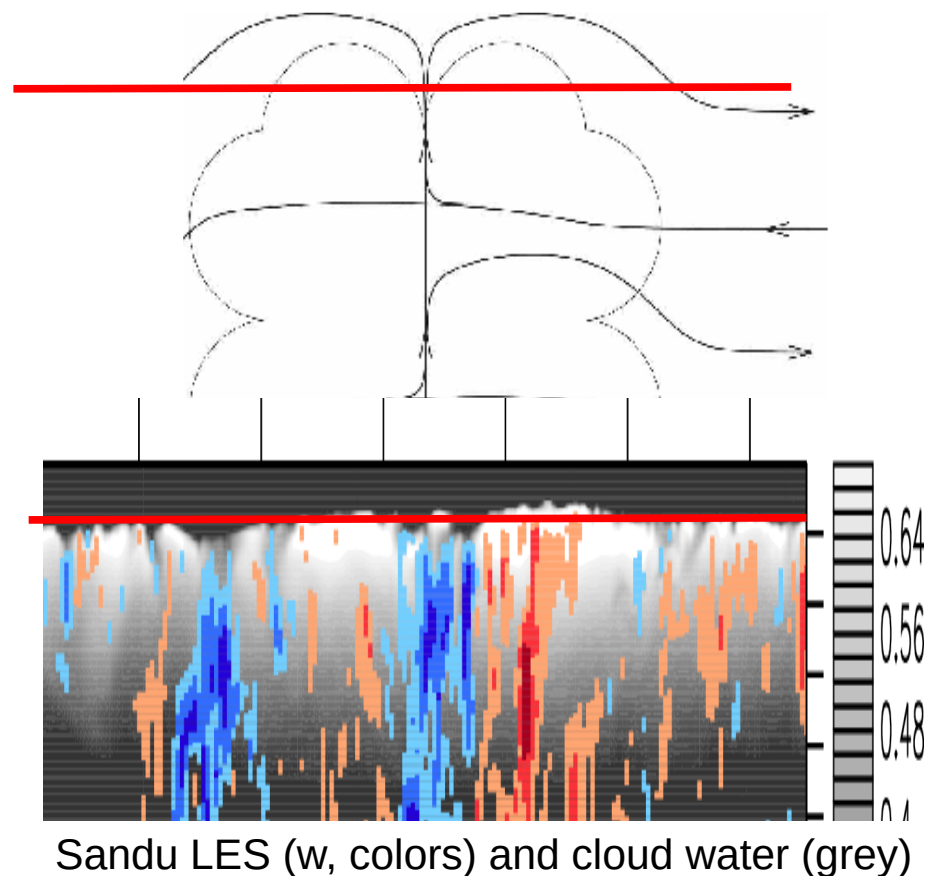


Fig 14c : Destination level versus exit level



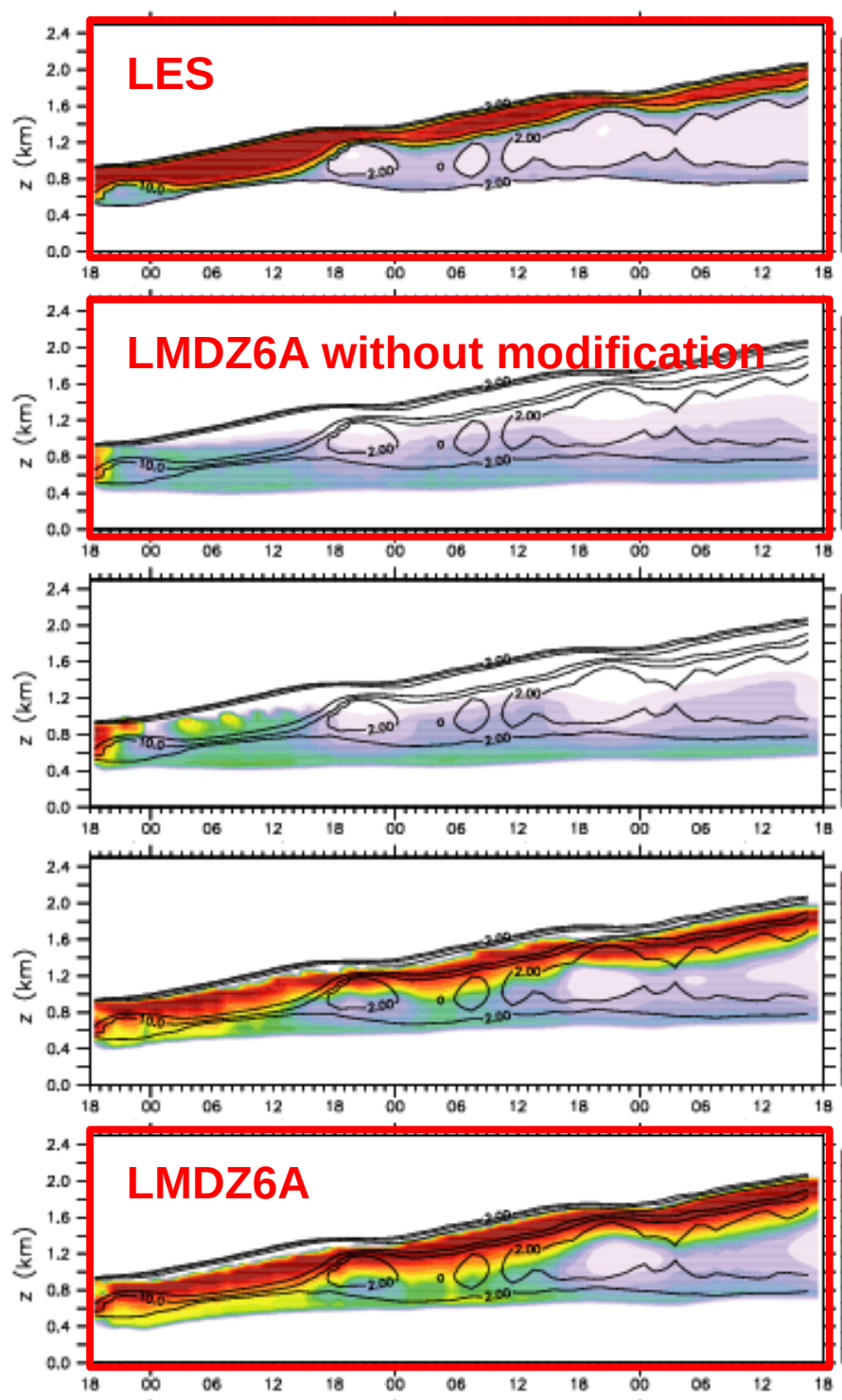
Sandu LES (w , colors) and cloud water (grey)

→ Modified detrainment
$$d = f \max\left(0, -\frac{a_1 \beta_1 B^*}{1 + \beta_1 w^2} + c \left(\frac{q_a - q}{q_a}\right)^d\right)$$

$$B^*(z) = g \frac{\theta_{v,th}(z) - \theta_{v,env}(z+h)}{\theta_v(z)}$$

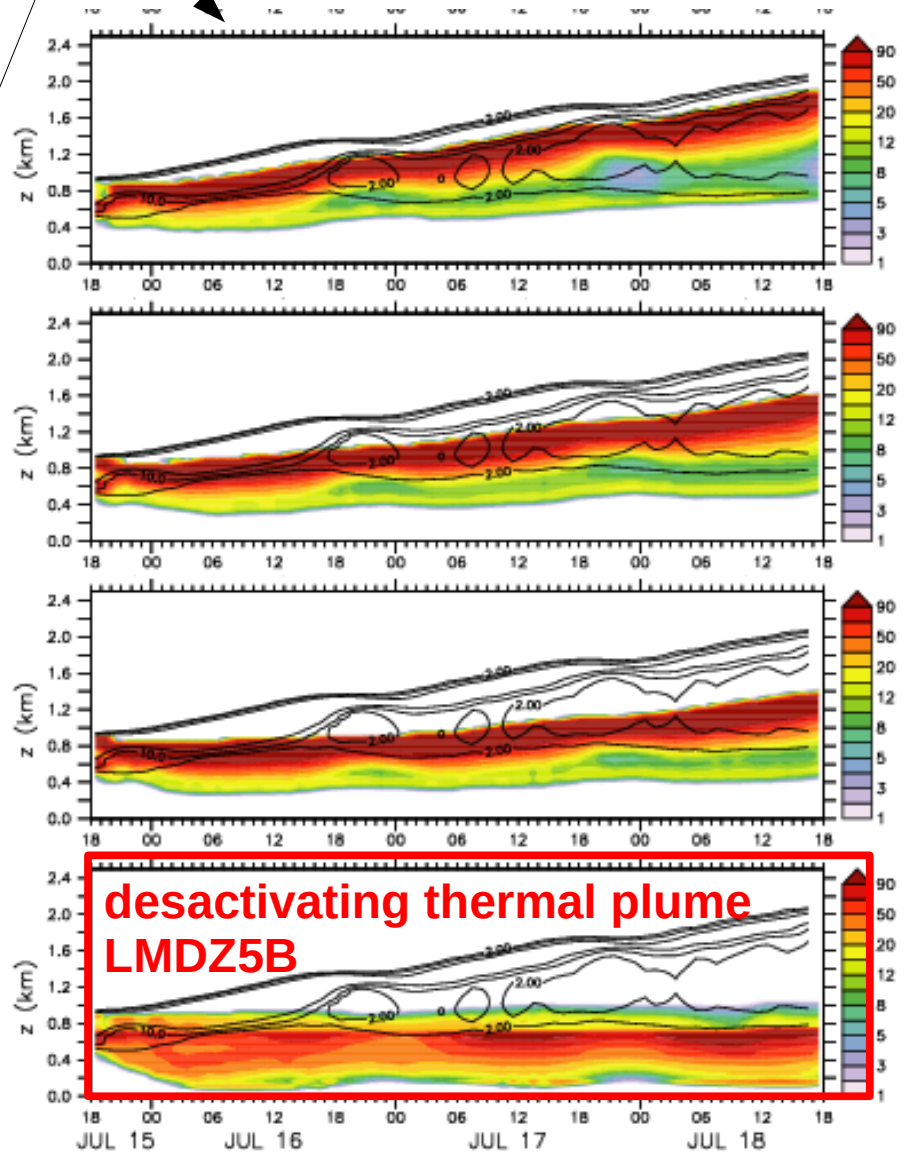
Destination level : z
Exit level : $z+h$ with $h = A z$

LES
A=0.00
A=0.03
A=0.05
A=0.07



Sandu transition REF case
LES
Original scheme
Modified scheme

A=0.10
A=0.15
A=0.20
No Thermals



Does not affect too much the cumulus cases

II : Revisite avec émulateur (processus gaussien) et méta modèle

The modified scheme with $A \sim 0.7-1.2$ seems to work fine.

Questions to be revisited with UQ :

- Is there a range of parameters acceptable for all cases ?
- Is the choice of the A parameter dependent of the choice of other parameters ?
- Is it possible to define a range of acceptable values for A for further 3D GCM tests ?

History matching for 10 metrics based on 4 cases

Cumulus to stratocumulus transition case

SANDU : **nebzave**, hour: 55-60

neb4zave, hour: 55-60

average cloud height

height of max cloudiness

$$\frac{\int f \cdot dz / \int f \cdot dz}{\int f^4 z dz / \int f^4 dz}$$

case of dry convection over continents

IHOP : **Ay-theta**, hour: 9-9

Boundary layer top entrainment

Continental cumulus case

ARMCU : **Ay-theta**, hour: 7-9

nebzave, hour: 7-9

neb4zave, hour: 7-9

nebmax, hour: 7-9

Max (z) cloud cover

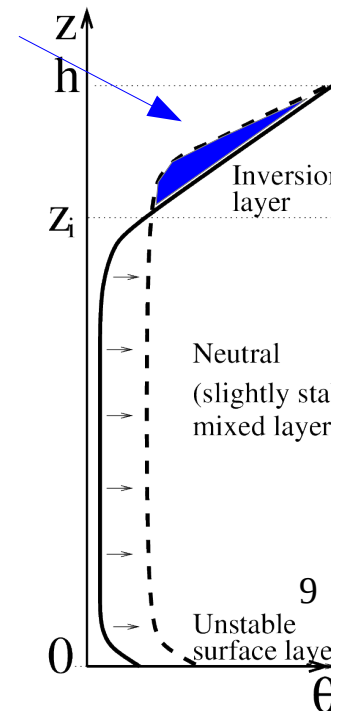
Marine cumulus case

RICO : **nebmax**, hour: 7-9

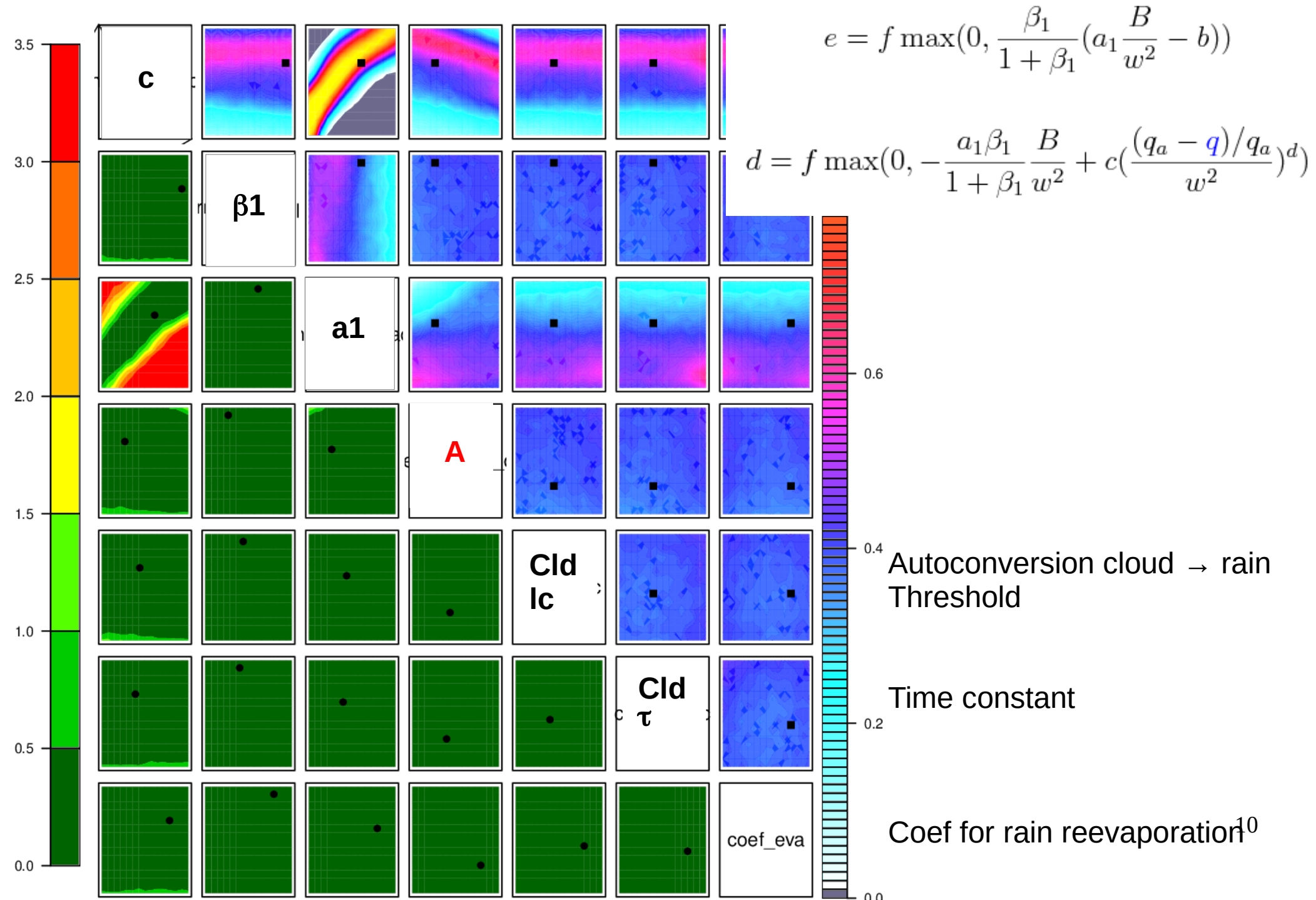
nebzave, hour: 7-9

neb4zave, hour: 7-8

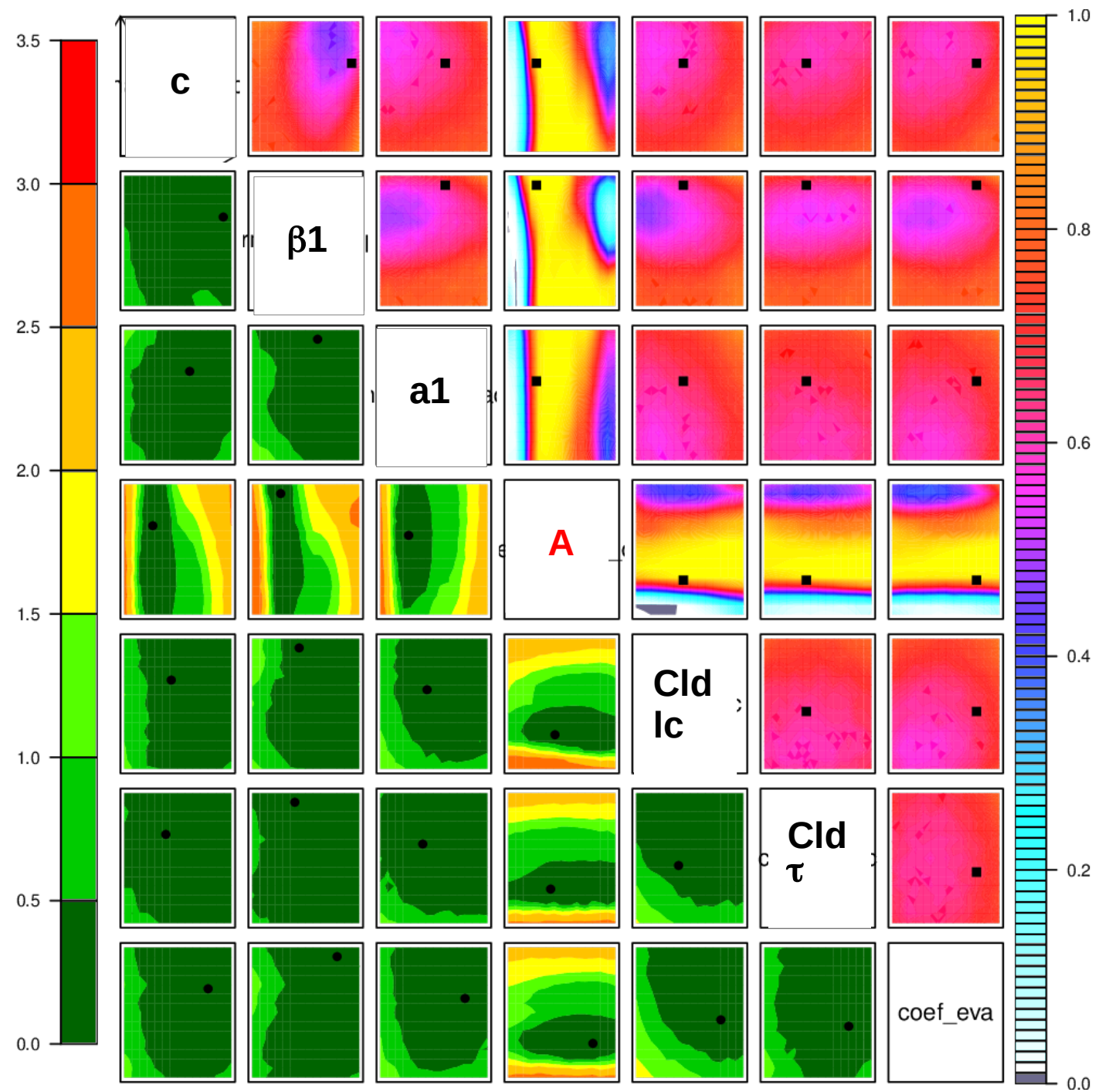
« Obs » errors : average / 10

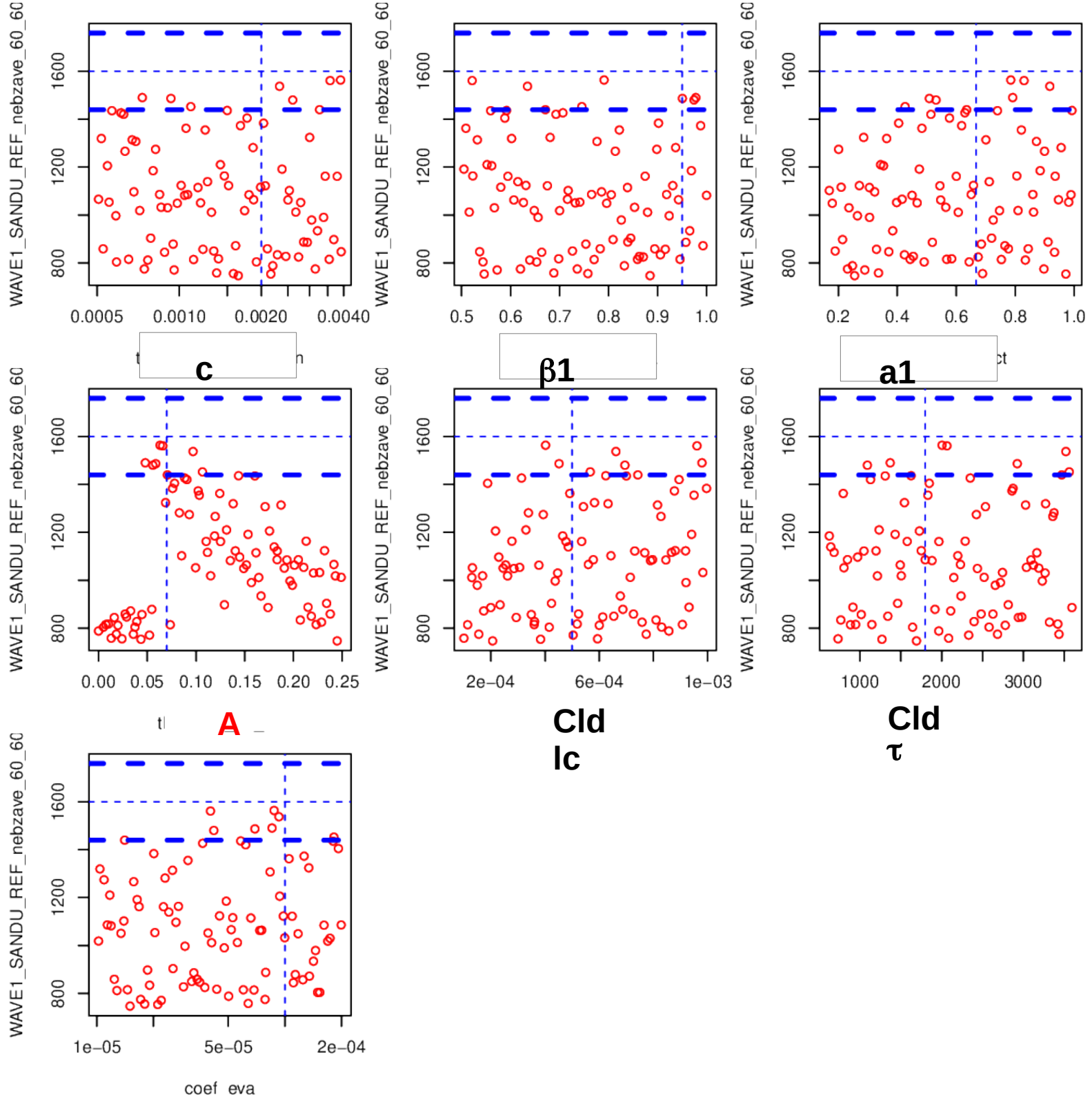


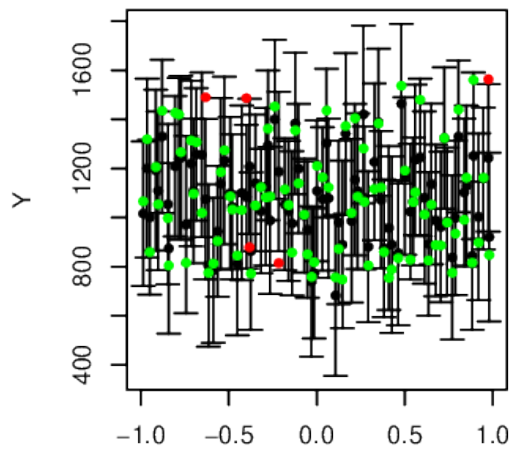
HIOP top entrainment alone : same parameters dominate as in Diallo's presentation



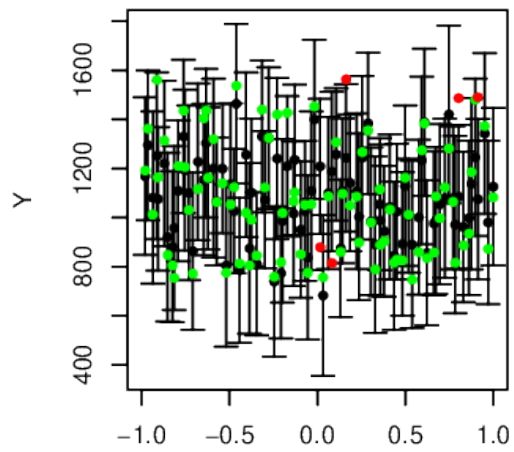
SANDU case. 1/2 of the points removed in one wave



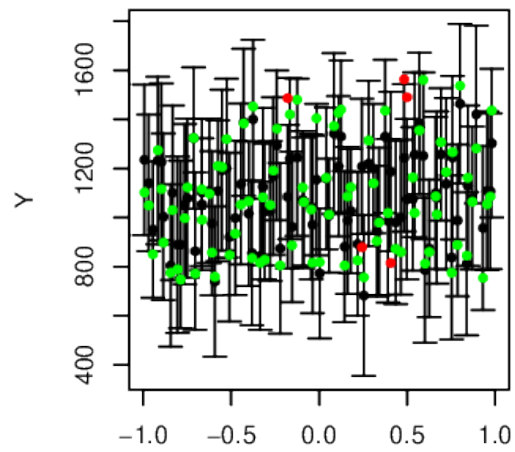




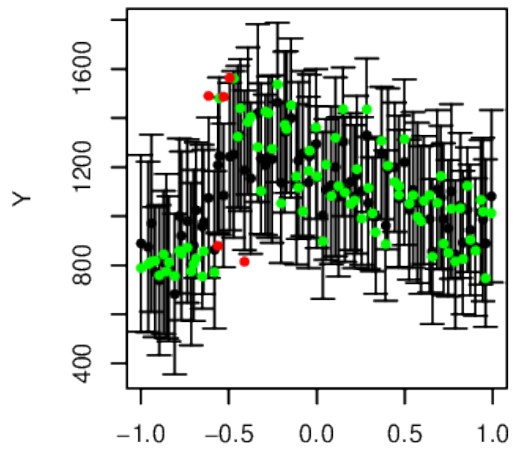
c



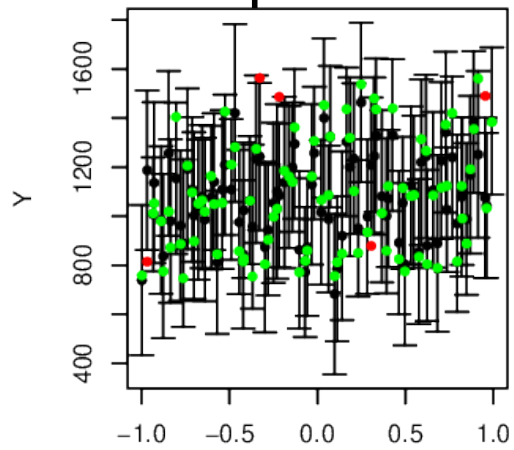
β_1



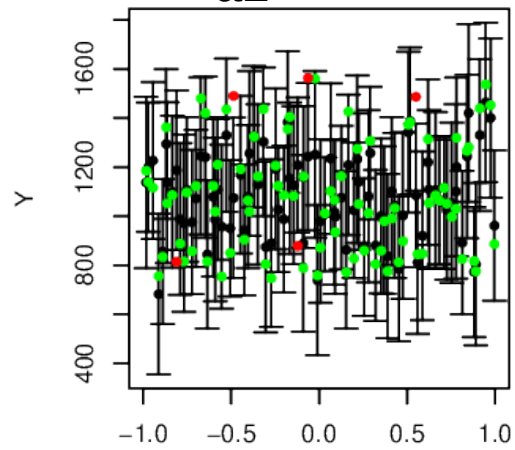
a1



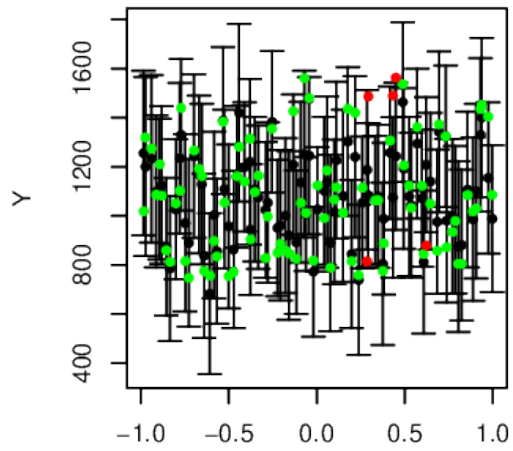
A



**Cld
lc**



**Cld
 τ**



coef eva

Error bars : leave one out

Multi-wave history matching for 10 metrics based on 4 cases

Cumulus to stratocumulus transition case

SANDU : **nebzave**, hour: 55-60
neb4zave, hour: 55-60

W1
 $\Gamma=3$

W2
 $\Gamma=1.5$

case of dry convection over continents

IHOP : **Ay-theta**, hour: 9-9

W3
 $\Gamma=1.5$

Continental cumulus case

ARMCU : **Ay-theta**, hour: 7-9
nebzave, hour: 7-9
neb4zave, hour: 7-9
nebmax, hour: 7-9

W4
 $\Gamma=1.5$

Marine cumuls case

RICO : **nebmax**, hour: 7-9
nebzave, hour: 7-9
neb4zave, hour: 7-8

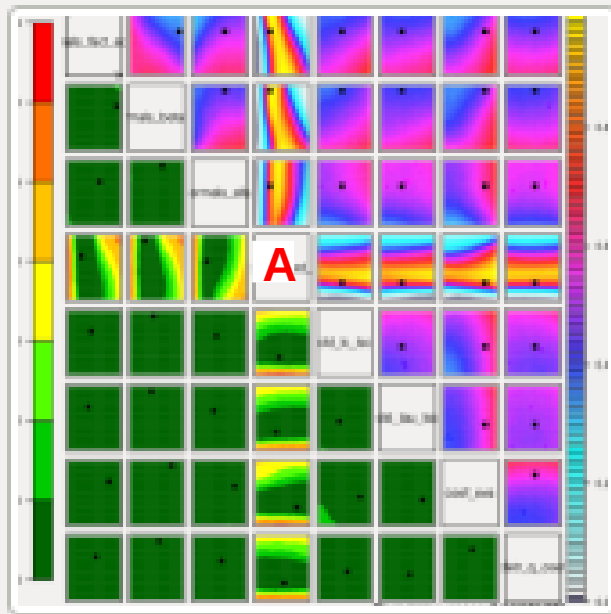
W5
 $\Gamma=2$

average cloud height

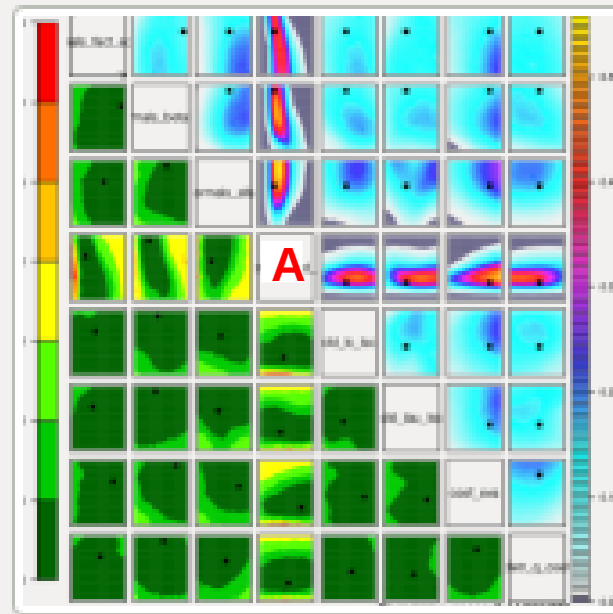
height of max cloudiness

Boundary layer top entrainment

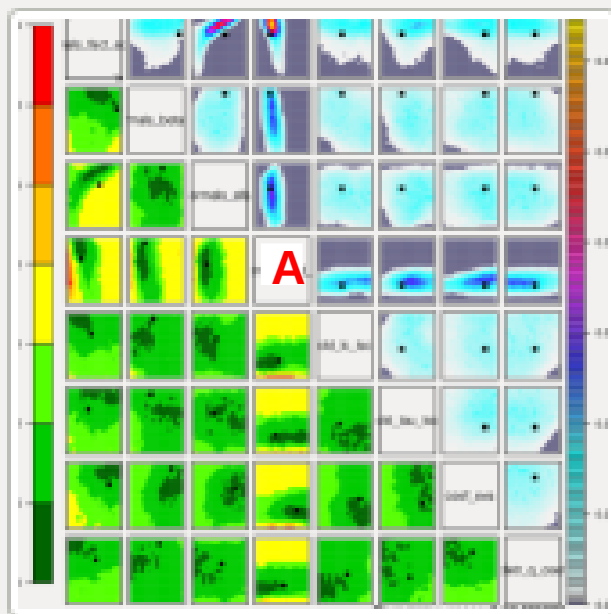
Max (z) cloud cover



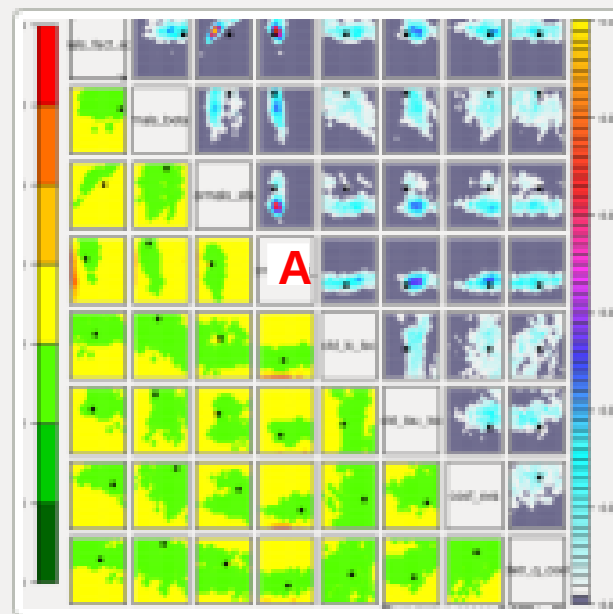
InputSpace_wave1.png



InputSpace_wave2.png



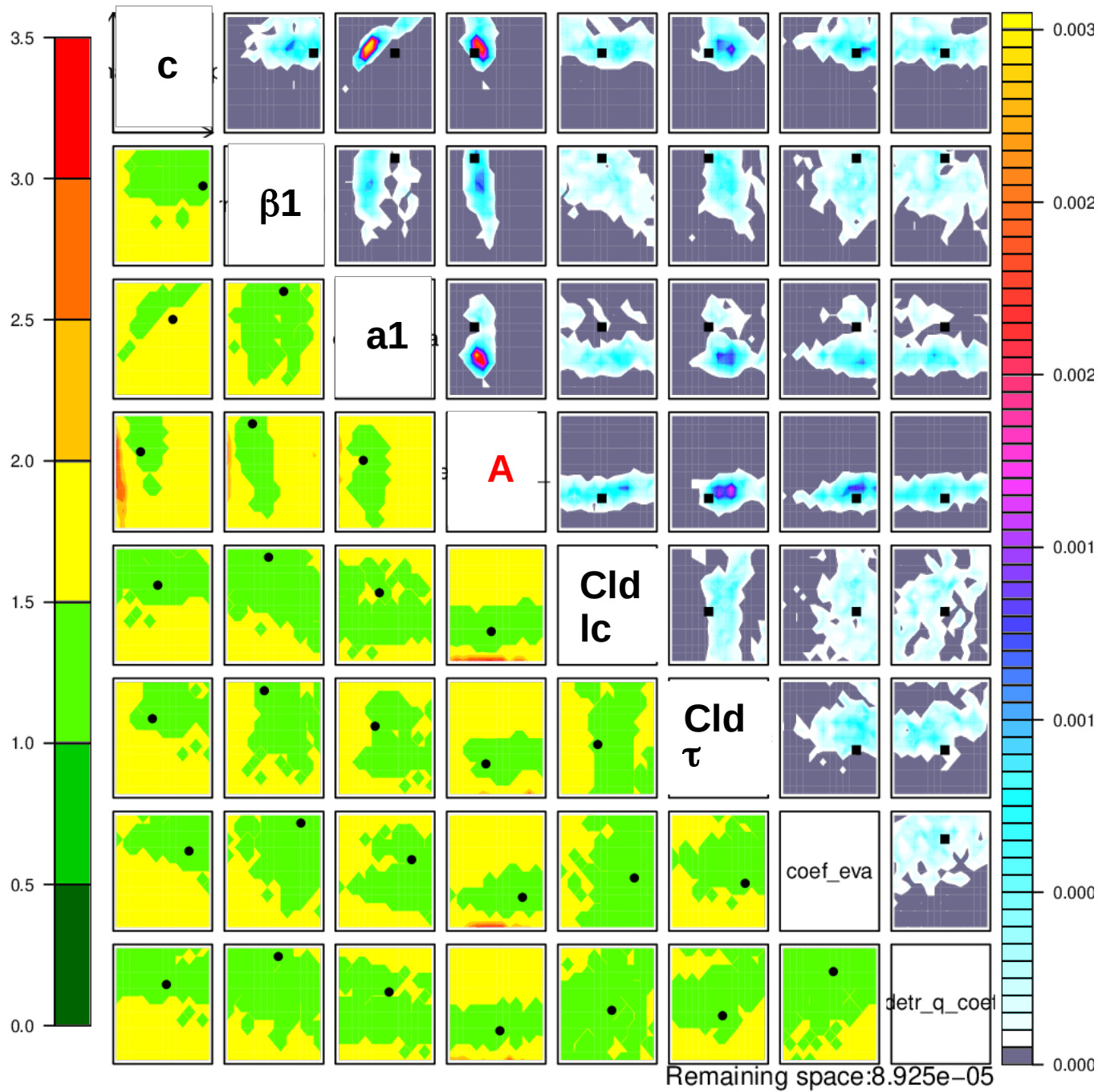
InputSpace_wave3.png



InputSpace_wave4.png

Remaining space after
 Wave1: 0.503
 Wave2: 0.113
 Wave3: 0.0069
 wave4: 3.35e-06
 wave5: 3.5e-07

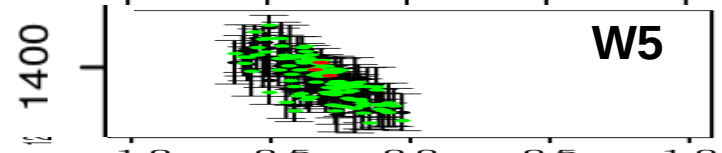
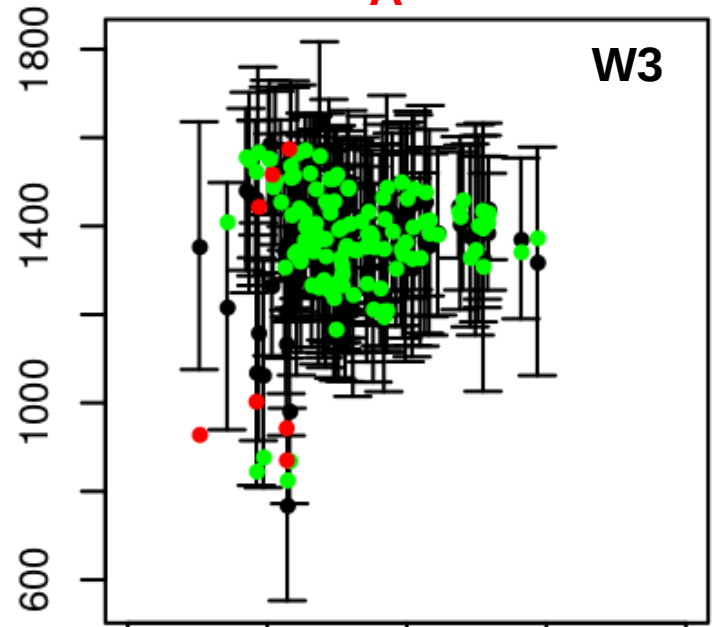
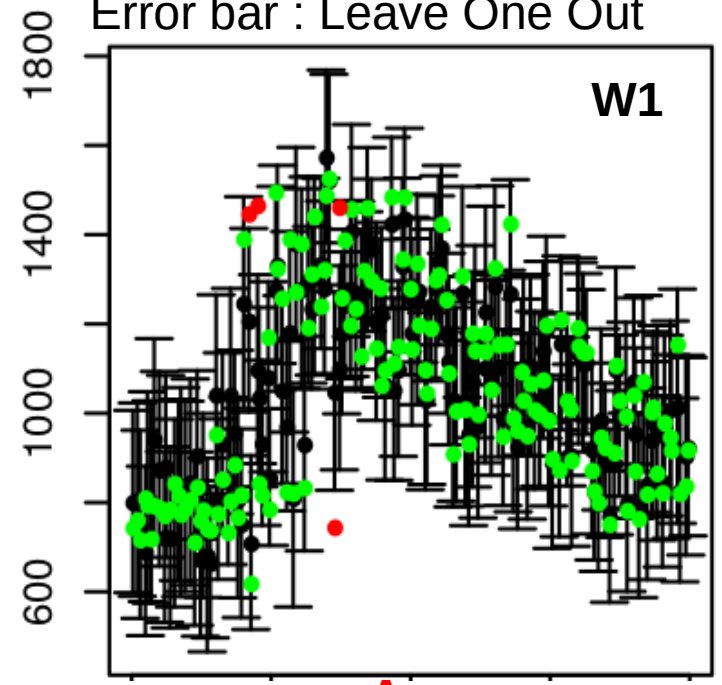
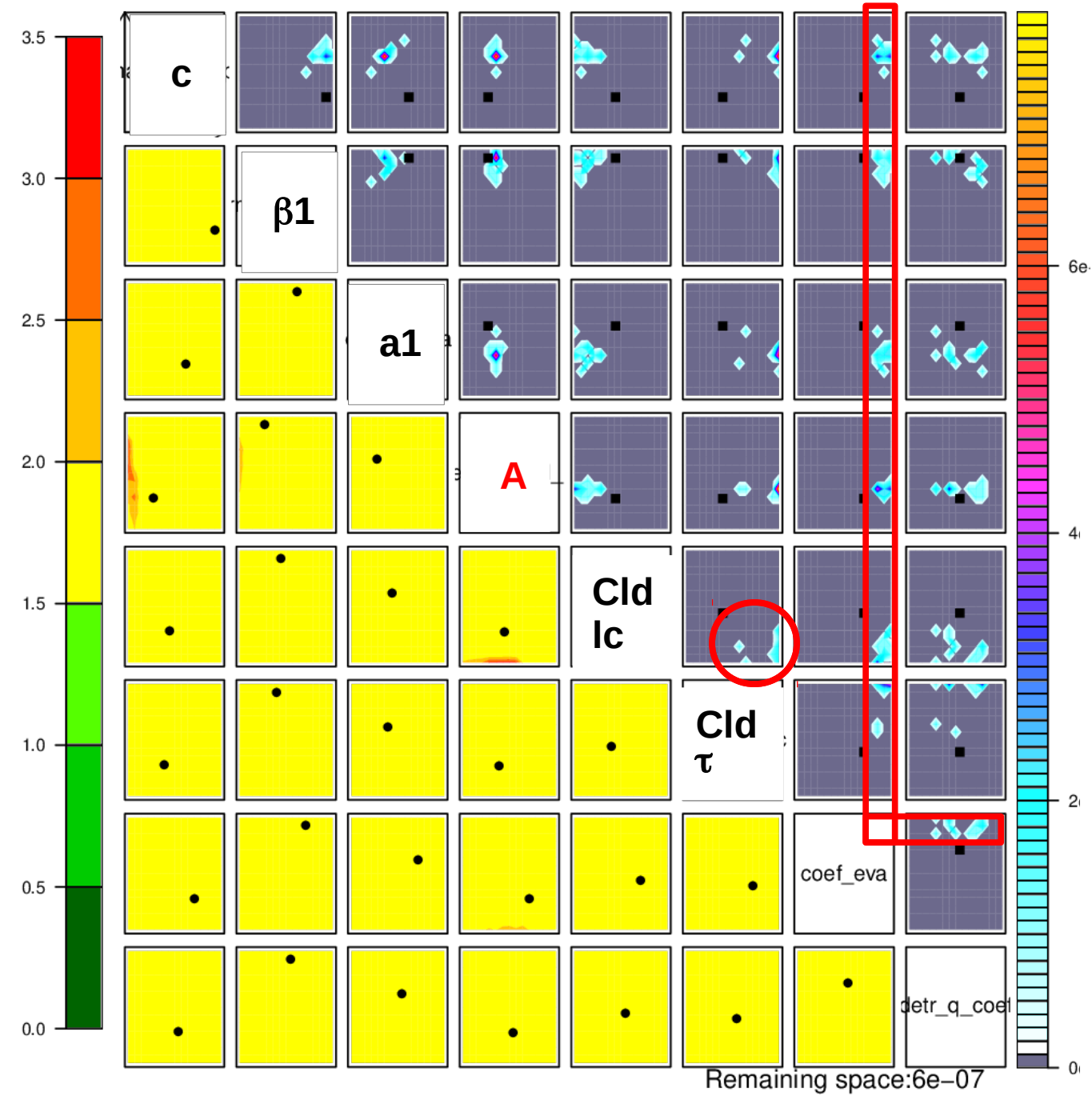
WAVE 4



WAVE 5 (adding Rico)

Height of max cloudiness, Sandu

Error bar : Leave One Out



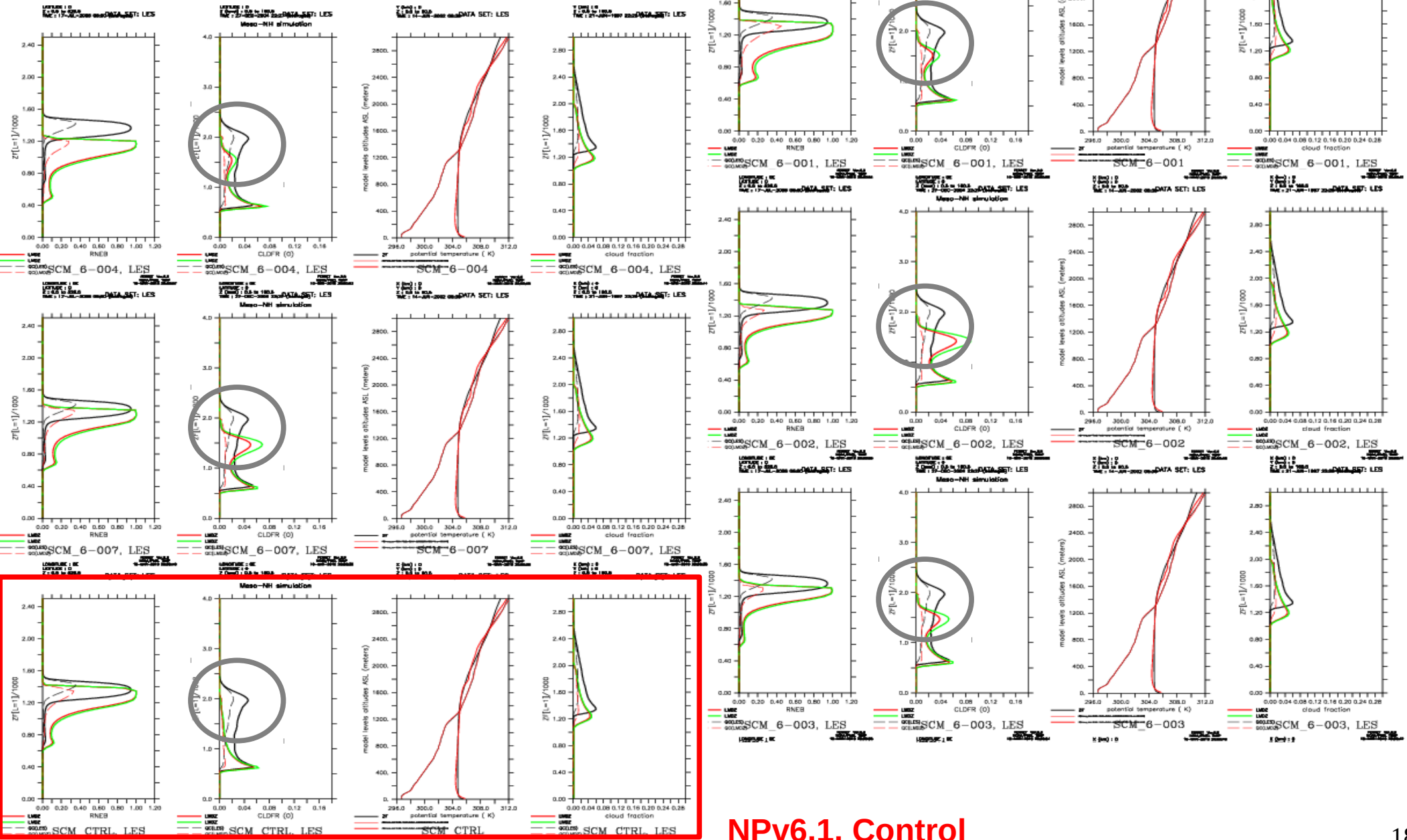
5 simulations chosen randomly in NROY #6

Sandu

Rico

Hiop

Armcu



NPv6.1, Control

Improved Rico case. Stratocumulus a little bit to low but consistant with given error bars.

Conclusion

Exeter tools work fine !!!!! Tanks !

→ Is there a range of parameters acceptable for all cases ?

Not too bad

→ Is the choice of the A parameter dependent on the choice of other parameters ?

Not too much !

→ Is it possible to define a range of acceptable values for A for further 3D GCM tests ?

Yes ! 0.07 – 0.1

+ privilege larger τ and smaller threshold for cloud → rain conversion

+ use larger values of coef_eva

Automatic tuning on average as good as the control case.

Possibility to improve Rico case without regrading too much the others

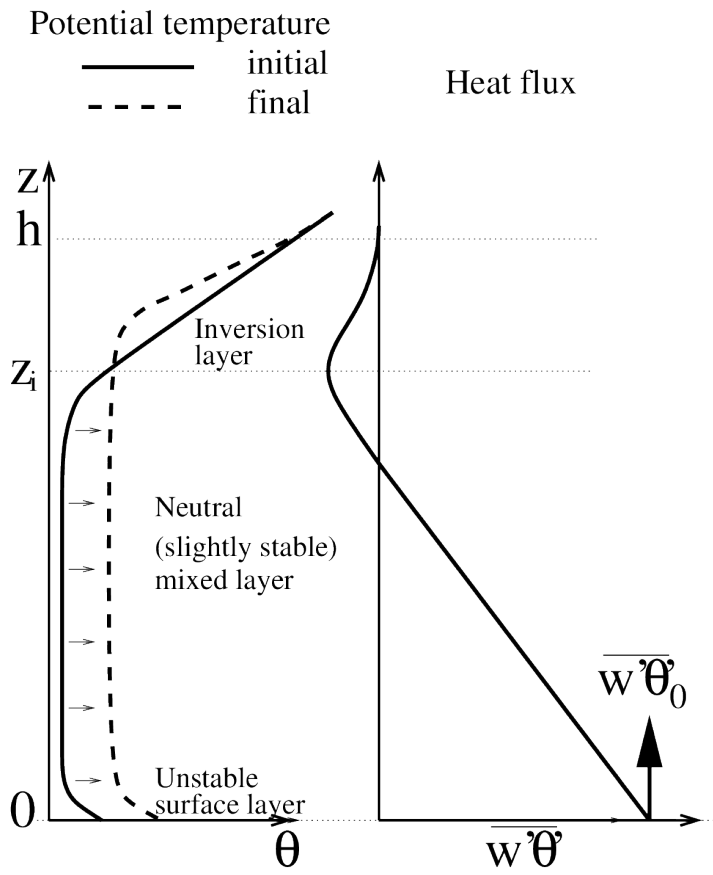
Stratocumulus a bit too low (error bar should be refined).

To be noticed :

Importance of having a robust setup for SCM/LES

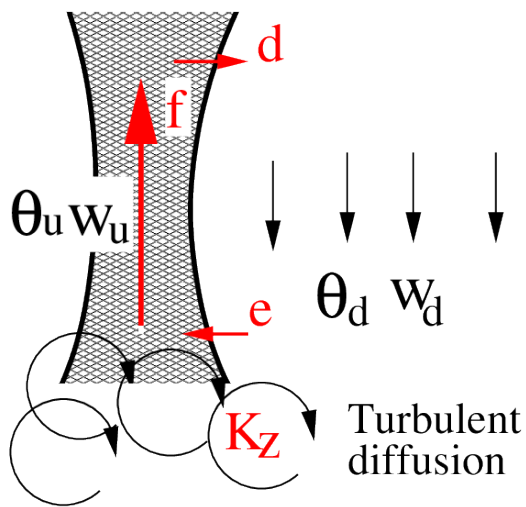
With a reduction of a factor 10^7 of the parameter space, requires samples of 10^9 , a bit too much for the current version of HighTune script

Next step : use EOFs on the time evolution of cloud height, top entrainment ...



α Thermal plume

$1 - \alpha$ Compensating subsidence



Conservation de la masse :

$$\frac{\partial f}{\partial z} = e - d \quad \text{avec } f = \alpha \rho w$$

Conservation de la masse du composant q

$$\frac{\partial f q_a}{\partial z} = e q - d q_a$$

Equation du mouvement

$$\frac{\partial f w}{\partial z} = -d w + \alpha \rho B$$

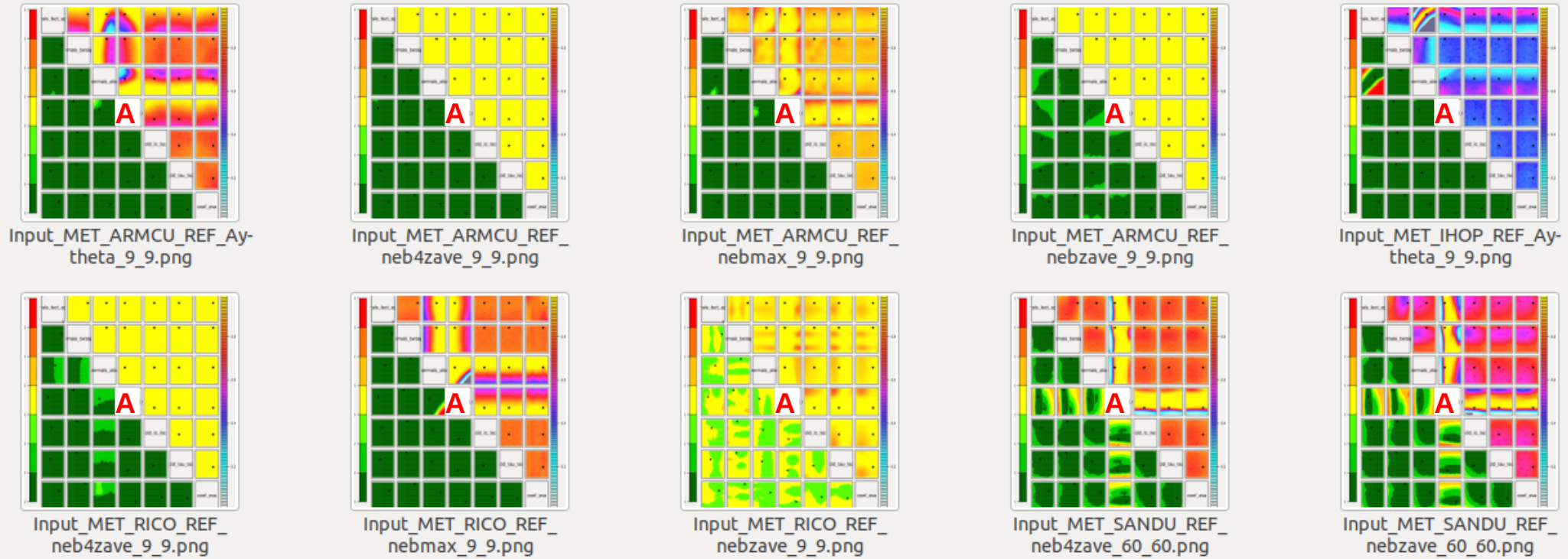
B étant la poussée d'Archimède

$$B = g \frac{\theta_{va} - \theta_v}{\theta_v}$$

$$e = f \max\left(0, \frac{\beta_1}{1 + \beta_1} \left(a_1 \frac{B}{w^2} - b\right)\right)$$

$$d = f \max\left(0, -\frac{a_1 \beta_1}{1 + \beta_1} \frac{B}{w^2} + c \left(\frac{q_a - q}{w^2}\right)^d\right)$$

One wave : one metrics each time



A : varying from 0 to 0.25

Tuning :
Métriques utilisées
Barres d'erreur

ONE BY ONE

Série

[1] "Remaining space after wave1: 0.5036888"

[1] "Remaining space after wave2: 0.1131553"

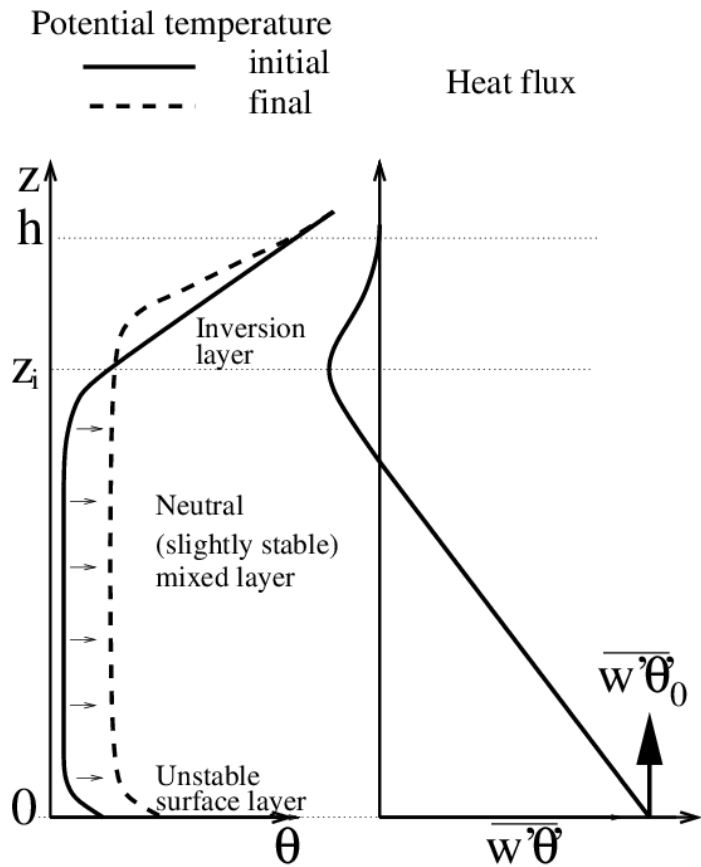
[1] "Remaining space after wave3: 0.00695575"

[1] "Remaining space after wave4: 3.35e-06"

[1] "Remaining space after wave5: 3.5e-07"

Limitations of turbulent diffusion

Idealized view of the dry convective boundary layer.



In the mixed layer

- Diffusive formulation

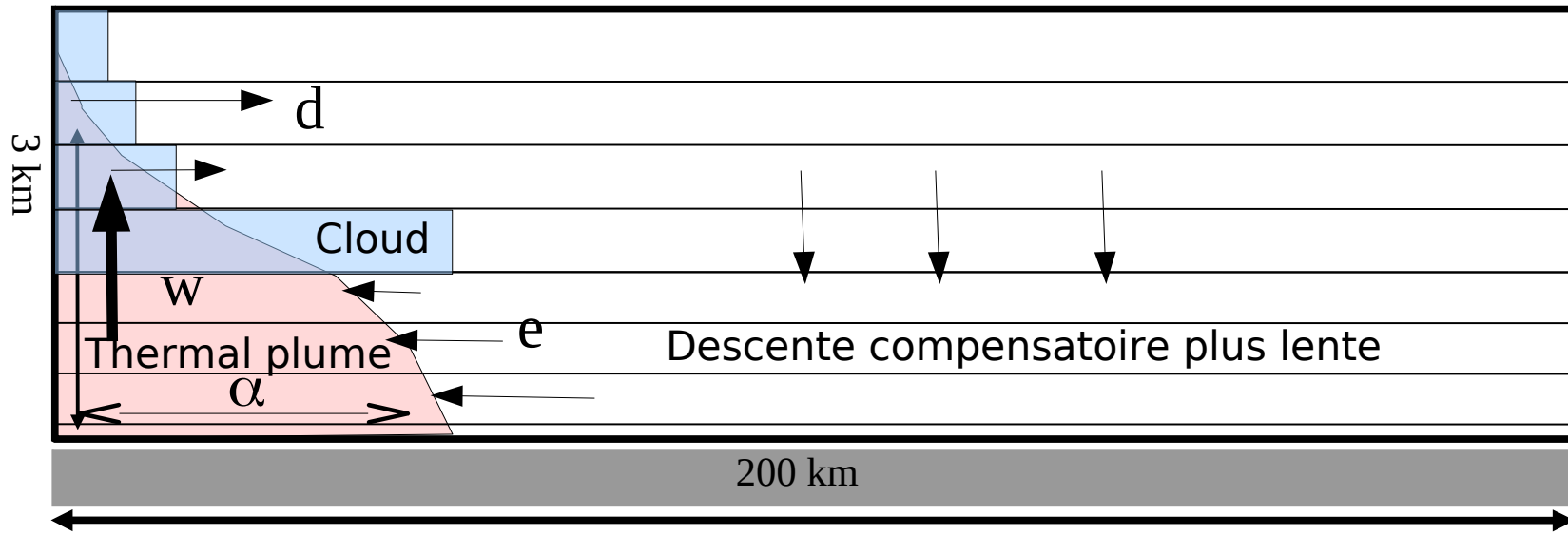
$$\overline{w'\theta'} = -K_z \frac{\partial \theta}{\partial z} = 0 \quad \text{or slightly } < 0$$

- Uniform heating by the surface

$$\frac{\partial \theta}{\partial t} \simeq \frac{\overline{w'\theta'_0}}{z_i} \quad (\text{Cste} > 0)$$

$$\overline{w'\theta'} \simeq \frac{z - z_i}{z_i} \overline{w'\theta'_0} > 0$$

II.1 Thermal plumes and clouds



Variables internes de la paramétrisation :

w : vitesse moyenne des panaches ascendants

α : fraction de la surface couverte par les ascendances

e : taux d'entrée latérale d'air dans le panache (entraînement)

d : sorties d'air depuis le panache (déentraînement)

q_a : concentration du composant q dans l'ascendance

Terme source pour les équations explicites

$$S_q = -\frac{1}{\rho} \frac{\partial}{\partial z} \overline{\rho w' q'} = \frac{1}{\rho} \frac{\partial}{\partial z} \rho K_z \frac{\partial q}{\partial z} + \left[-\frac{1}{\rho} \frac{\partial}{\partial z} [\rho \alpha w (q_a - q)] \right]$$

Diffusion turbulente

Transport par le modèle de panache

4 Paramètres libres :

$$a_1 = \frac{2}{3}, \beta_1 = 0.9, b = 0.002, c = 0.012 m^{-1}, d = 0.5$$

Conservation de la masse :

$$\frac{\partial f}{\partial z} = e - d \quad \text{avec } f = \alpha \rho w$$

Conservation de la masse du composant q

$$\frac{\partial f q_a}{\partial z} = e q - d q_a$$

Equation du mouvement

$$\frac{\partial f w}{\partial z} = -d w + \alpha \rho B$$

B étant la poussée d'Archimède

$$B = g \frac{\theta_{va} - \theta_v}{\theta_v}$$

$$e = f \max(0, \frac{\beta_1}{1 + \beta_1} (a_1 \frac{B}{w^2} - b))$$

$$d = f \max(0, -\frac{a_1 \beta_1}{1 + \beta_1} \frac{B}{w^2} + c (\frac{q_a - q}{w^2})^d)$$

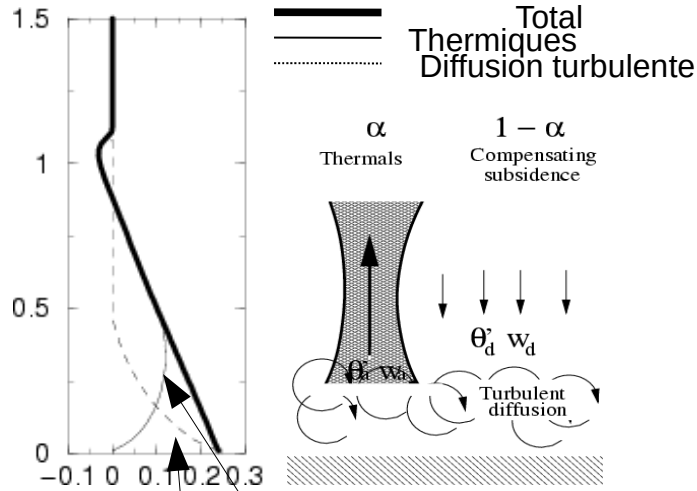
Etc ...

II – Paramétrisation des nuages bas : principes et méthodologie

Thermiques : transport convectif

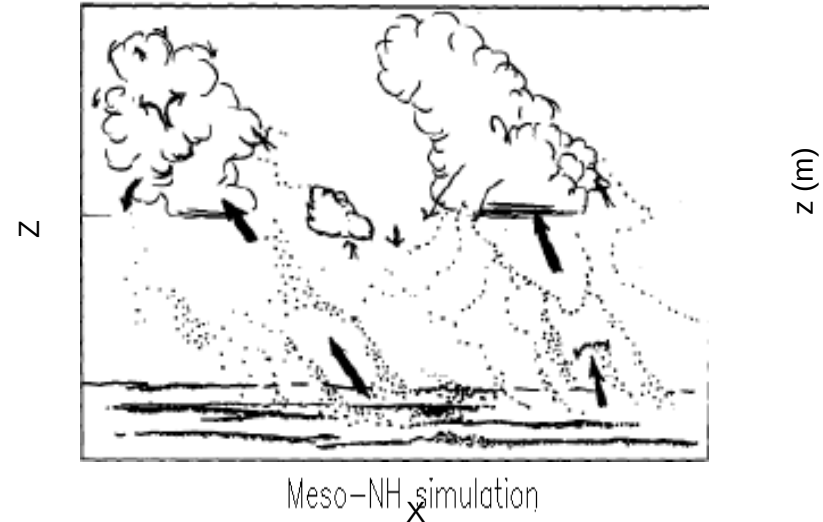
Thermiques et cumulus

Décomposition du flux de chaleur dans le cas MY+thermiques



Cumulus : partie condensée des panaches thermiques
Rio et Hourdin, 2008, Hourdin et al., 2012

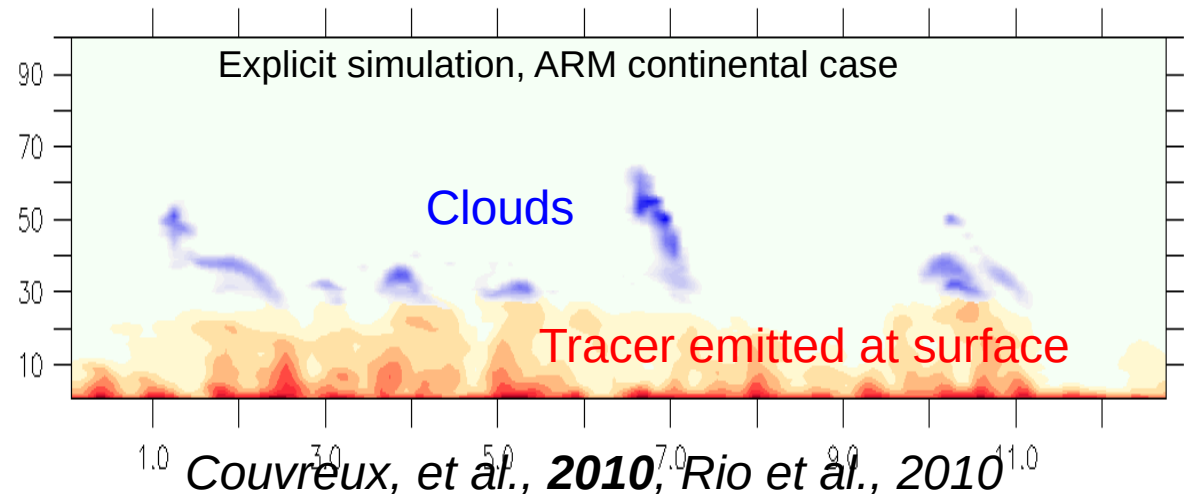
LeMone and Pennell, MWR, 1976



M&Y+Thermiques

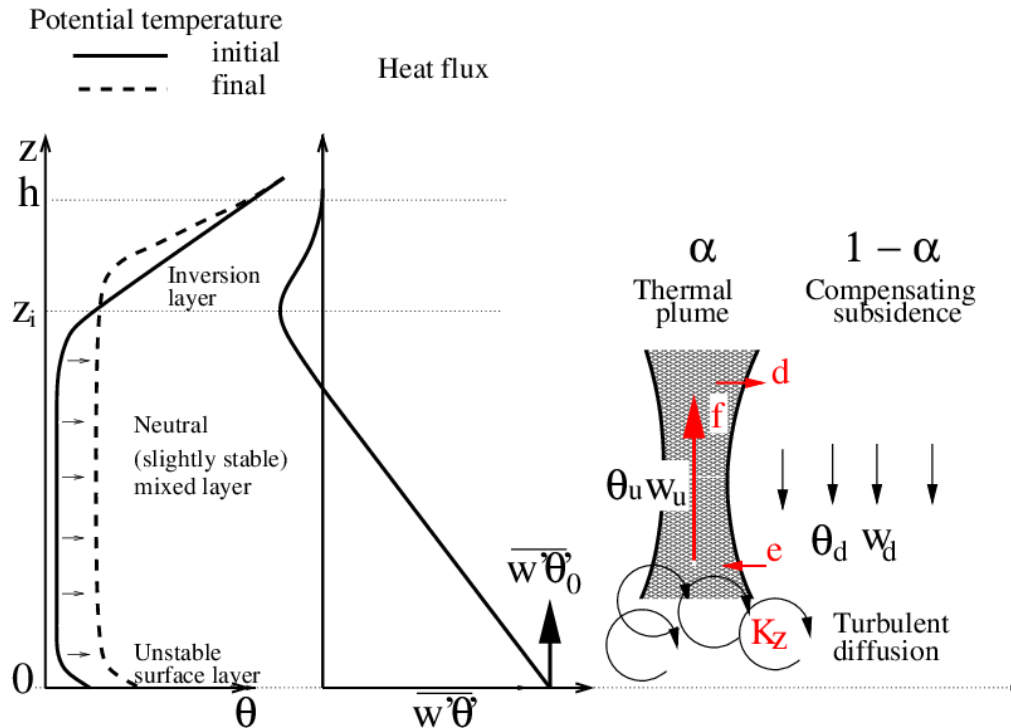
$$\overline{\rho w' \phi'} = -\rho K_\phi \left(\frac{\partial \phi}{\partial z} - \Gamma_\phi \right) + \hat{f} (\phi_a - \phi)$$

Hourdin et al., 2002



Couvreur, et al., 2010, Rio et al., 2010

Mass flux schemes combined with turbulent diffusion



Separation into 2 sub-columns :

$$X = \alpha X_u + (1 - \alpha) X_d$$

ascending plume of mass flux

$$f = \alpha \rho w_u$$

$$\frac{\partial f}{\partial z} = e - d$$

$$\frac{\partial f c_u}{\partial z} = e c_d - d c_u$$

$$\rho \overline{w'c'} = -\rho K_z \frac{\partial c}{\partial z} + f (c_u - c_d) \quad (1)$$

Chatfield and Brost, 1987, Hourdin et. al., 2002, Siebesma, Soares et al, 2004

