

# Using a Cloud System Approach to demonstrate the impact of a coherent bulk ice cloud scheme in the LMDZ GCM

Claudia Stubenrauch,  
M. Bonazzola, S. Protopapadaki<sup>1</sup> & I. Musat

*Laboratoire de Météorologie Dynamique / IPSL, France*

<sup>1</sup> now COOPETIC



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# Towards a coherent bulk ice cloud scheme deduced from thermodynamics

$v_m$  strongly influences UT cloud occurrence & properties

& has potential to influence climate sensitivity (e.g. Sanderson et al. 2008)

$D_e$  affects the radiative properties of UT clouds

current version of LMDZ:  $v_m = f(\text{IWC})$ ,  $D_e = f(T)$

$v_m$  is one of the parameters which is tuned to achieve radiative balance (x 0.3)

airborne & ground-based observations:  $v_m = f(\text{IWC}, T)$

IWC & T classify distributions of ice crystal size & habit (Field et al. 2007)

(review & comparison: Stubenrauch & Bonazzola, JAMES, subm. Nov 2018)

construct parametrization from existing ones:

1) empirical parametrizations :  $v_m = f(\text{IWC}, T)$ ;  $D_{\text{eff}} = f(v_m)$

2)  $v_m$ ,  $D_m$  from moments of size distribution, parametrized as  $f(\text{IWC}, T)$

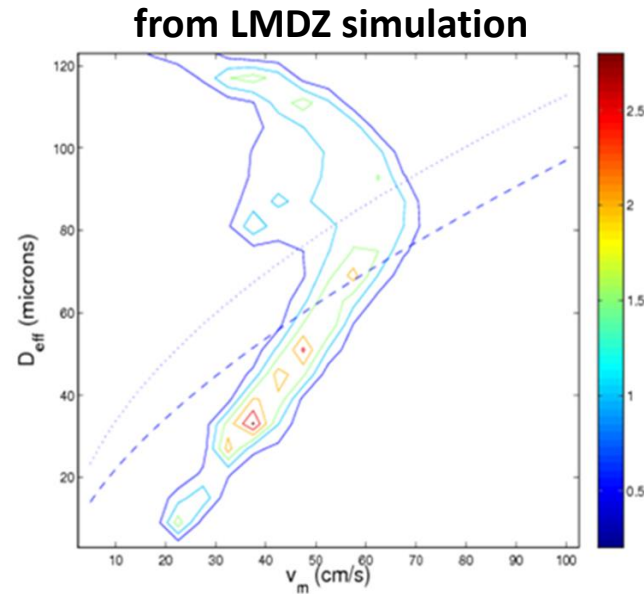
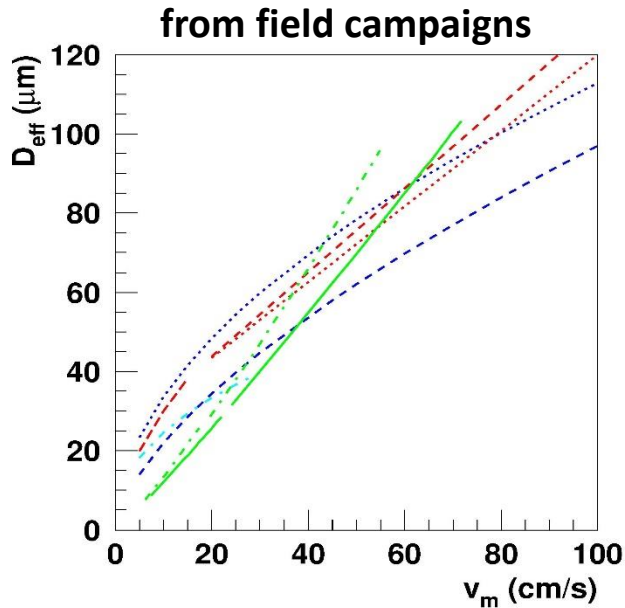
*next step*: parametrize ice single scattering properties  $\text{SSP} = f(\text{IWC}, T)$

(in cooperation with A. Baran, MetOffice)

coherence by using same measured size distributions for  $v_m$  & SSP parameterizations

# $v_m - D_e$ relationships

- fall speed  $v_m$  & effective ice crystal diameter  $D_{eff}$  are closely related, as they both depend on ice area / ice mass



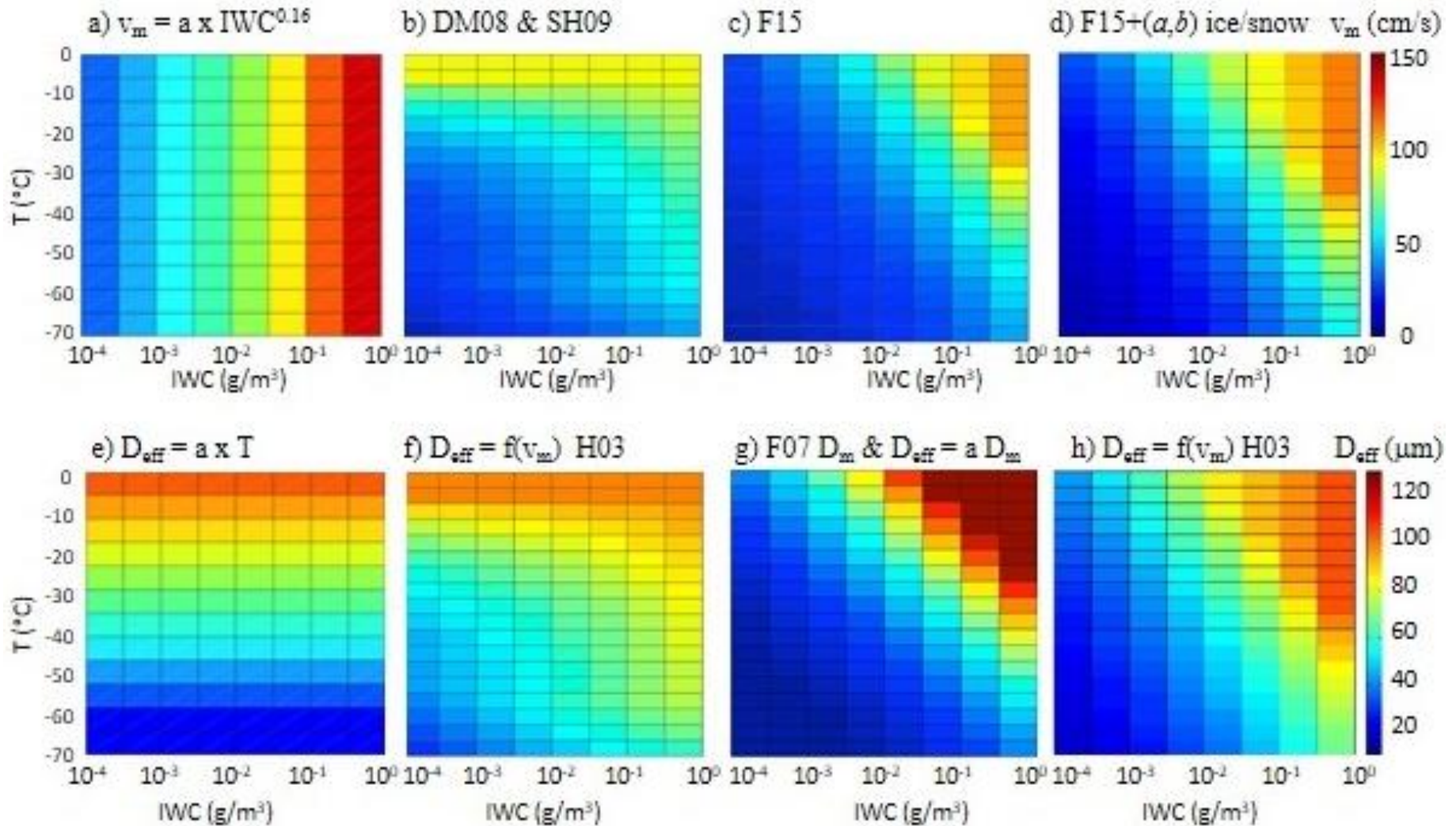
— F07-F15-B16 (a,b),(A,B) for ice / snow    - · - · - F07-F15-B16 b=2, (A,B) for ice / snow  
- · - · - anvil cirrus (H03)    - - - - midlatitude cirrus (H03)    - · - · - TTL cirrus (SH09)  
- · - · - anvil cirrus (M11)    - - - - Arctic cirrus (M11)

**Direct relation between  $v_m$  &  $D_{eff}$  needs more realistic  $v_m$  (scaled by 0.9)**

=> need to adjust remaining tuning parameters for radiation balance

(EPMAX & RQH)

# Synthesis : $v_m$ & $D_{eff} = f(T, IWC)$



Stubenrauch & Bonazzola,  
JAMES subm. Nov 2018

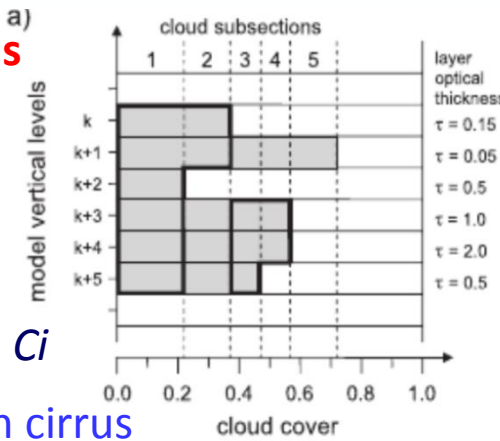
# New diagnostics using AIRS/IASI cloud observation simulator

**IR Sounders provide cloud height  $p_{cld}$  & emissivity  $\epsilon_{cld}$ ; sensitive to cirrus**

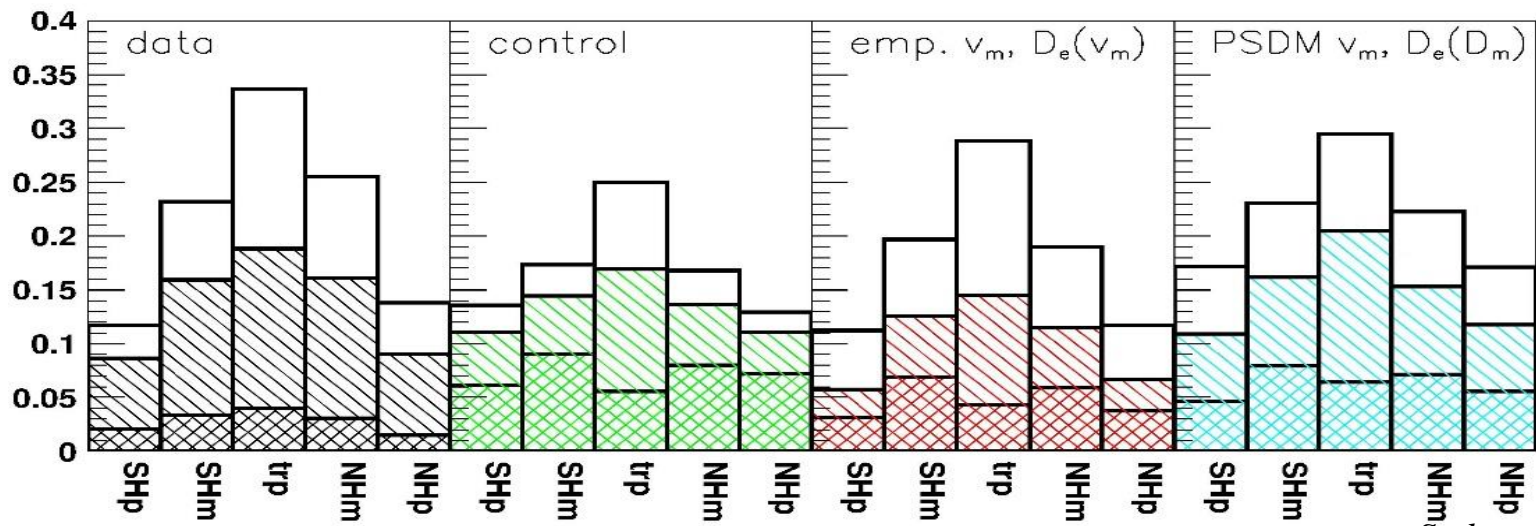
- construct clouds from vertically contiguous cloudy layers
- clouds divided into sub-sections of similar vertical structure
- keep only sub-sections with IR optical depth > 0.1
- filter observation times: 1:30AM, 9:30AM, 1:30PM, 9:30PM LT

-> total & high-level cloud cover,  $p_{cld}$ ,  $T_{cld}$ ,  $\epsilon_{cld}$ ,  $z_{cld}$ , fraction of Cb, Ci, thin Ci

**advantages:** allows to evaluate i) sub-grid fractions of Cb, cirrus & thin cirrus  
ii) diurnal cycle of UT cloud properties



## UT cloud cover & its composition (Cb, Ci, thin Ci)



Control simulation too few high clouds with too many Cb  
New bulk ice schemes -> increased high clouds, with more Ci & thin Ci, in better agreement with observations

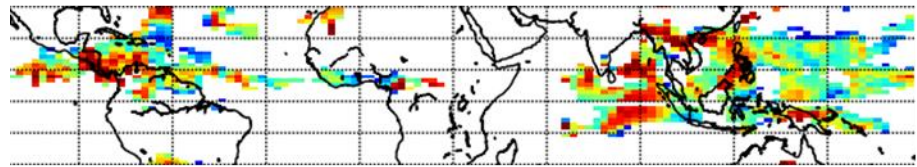
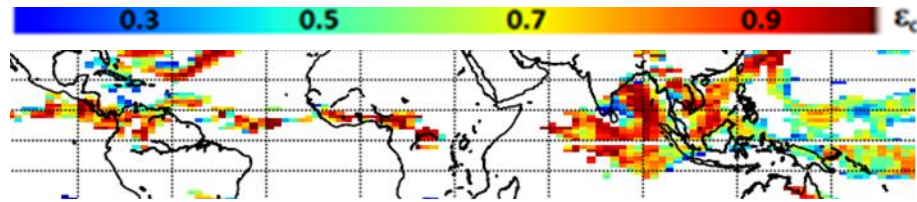
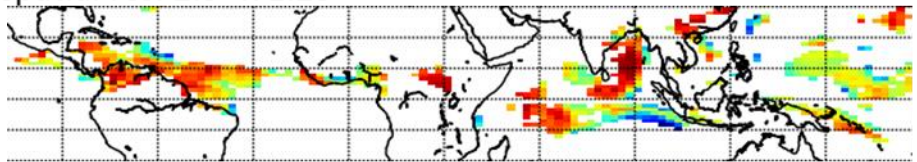
Stubenrauch et al.,  
JAMES, subm. Jan. 2019

# UT Cloud System Concept to assess GCM parameterizations

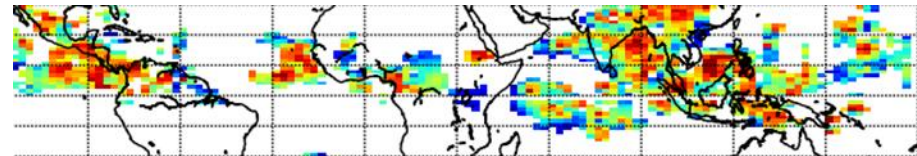
**Cloud System Concept** (similar  $p_{\text{cld}}$  & horizontal  $\varepsilon_{\text{cld}}$  structure -> convective cores & anvils)  
relates the anvil properties to processes shaping them

-> process-oriented evaluation of detrainment / convection / microphysics parameterizations

spatial res.  $2.5^\circ \times 1.25^\circ$



horizontal cloud system emissivity structure sensitive to  $v_m$ ,  $De$



nominal fall speed & precipitation efficiency

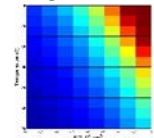
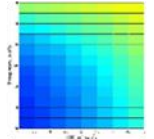
$$v_m = f(\text{IWC}), \quad De = f(T), \quad \varepsilon = f(De, \text{IWC})$$

scaled  $v_m$  too small compared to observations

$v_m$  adapted from *Deng & Mace 2008*

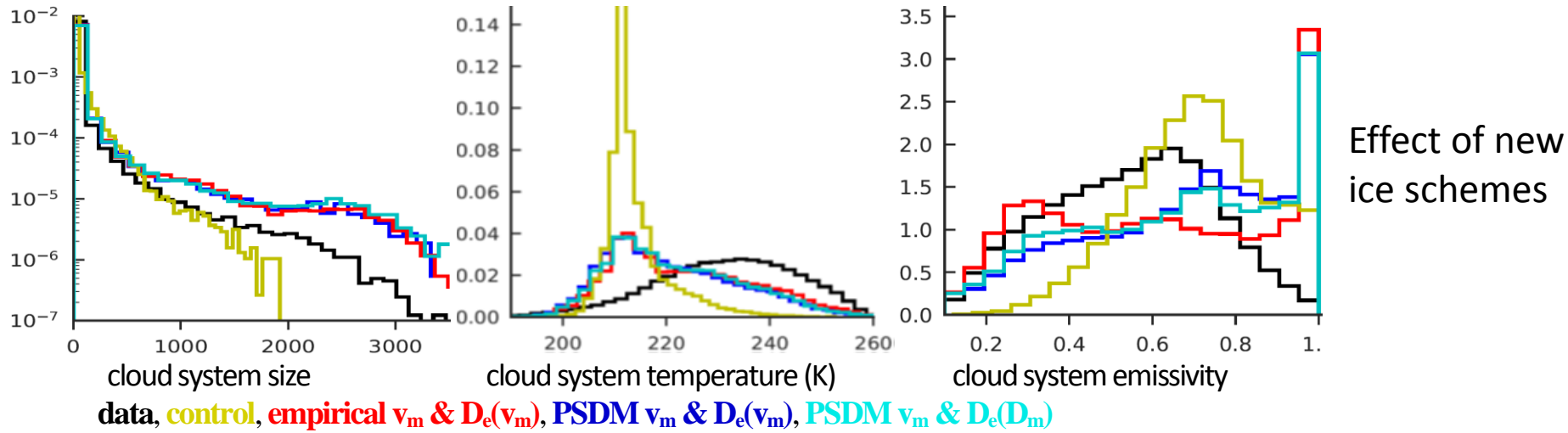
$$v_m = f(\text{IWC}, T)$$

$v_m$  from PSD moment parameterization (*Field 2007*)



AIRS snapshot 3 July 2008 AM

# New diagnostics using UT cloud system statistics



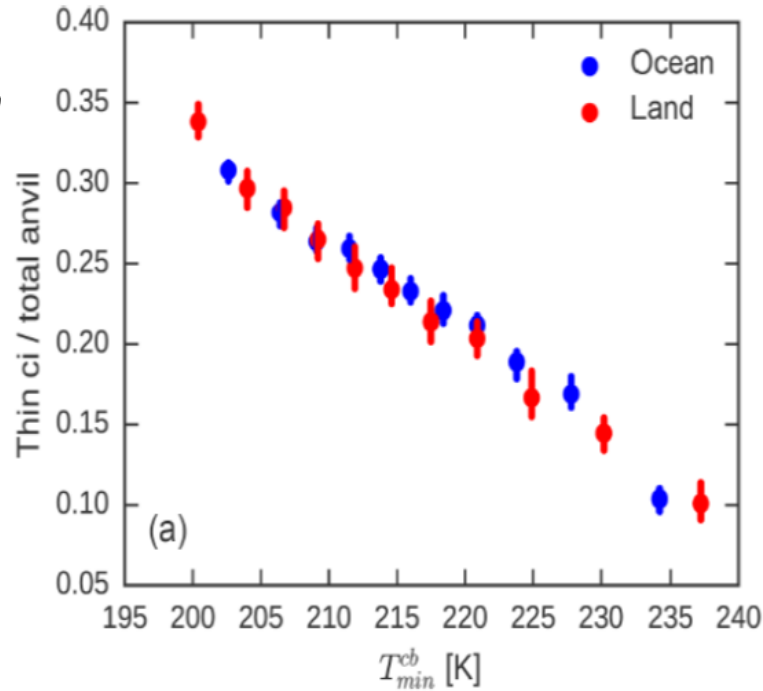
new ice schemes (& more realistic  $v_m$ ) in better agreement with observations:  
larger system sizes, broader T distributions, decreased anvil emissivity



# link anvil structure to convective depth

Protopapadaki et al. ACP 2017

15 years AIRS; **tropical UT cloud systems** ( $p_{\text{cld}} - p_{\text{tropopause}} < 250 \text{ hPa}$  or  $p_{\text{cld}} < 440 \text{ hPa}$ );  
**convective core (Cb)**:  $\epsilon_{\text{cld}} > 0.98$ ; **mature systems**: Cb fraction within system 0.1 – 0.3



Deeper convective cores  $\rightarrow$  stronger max rain rate  
 $\rightarrow T_{\min}^{\text{Cb}}$  good proxy for convective strength

Deeper convection leads to relatively more thin cirrus within larger anvils (similar land / ocean)

relation robust using different proxies :  
 $T_{\min}^{\text{Cb}} / \text{LNB}(\text{max mass})$

← increasing convective depth

## Why ?

H1: UT environmental predisposition (at higher altitude larger RH, T stratification)

H2: UT humidification from cirrus outflow

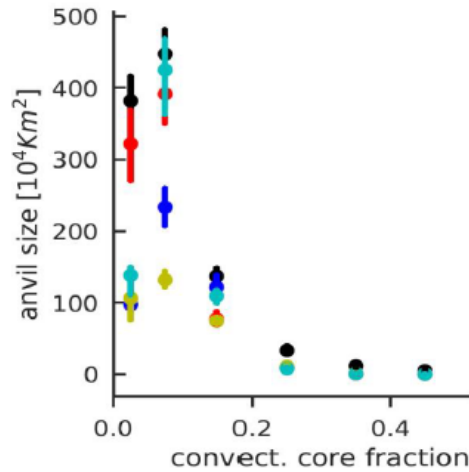
Does the relationship change in a warmer climate ?

CRM

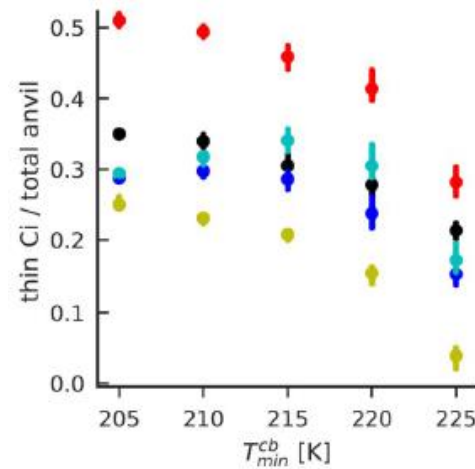
GCM



# process-oriented UT cloud system behaviour



← increasing age of system



← increasing convective depth

data

control  $v_m = 0.3 \times f(\text{IWC})$

$D_{eff} = f(T)$

empirical  $v_m(\text{IWC}, T)$  &  $D_{eff}(v_m)$

PSDM  $v_m$  &  $D_{eff}(v_m)$

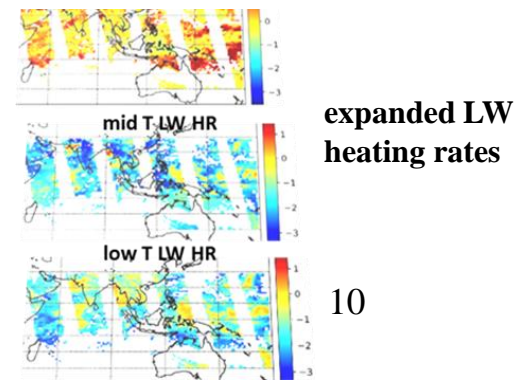
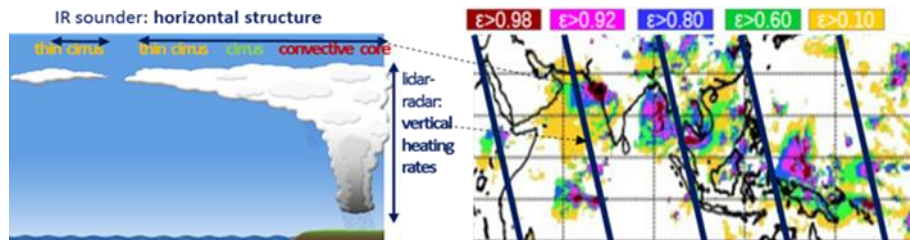
PSDM  $v_m, D_m$  &  $D_{eff}(D_m)$

*Stubenrauch et al.,  
JAMES, subm. Jan 2019*

**New process-oriented diagnostics based on Cloud System Concept powerful constraint:**  
more realistic  $v_m - D_{eff}$  -> more realistic anvil size &  $\varepsilon$  horizontal structure (increasing thin Ci) development

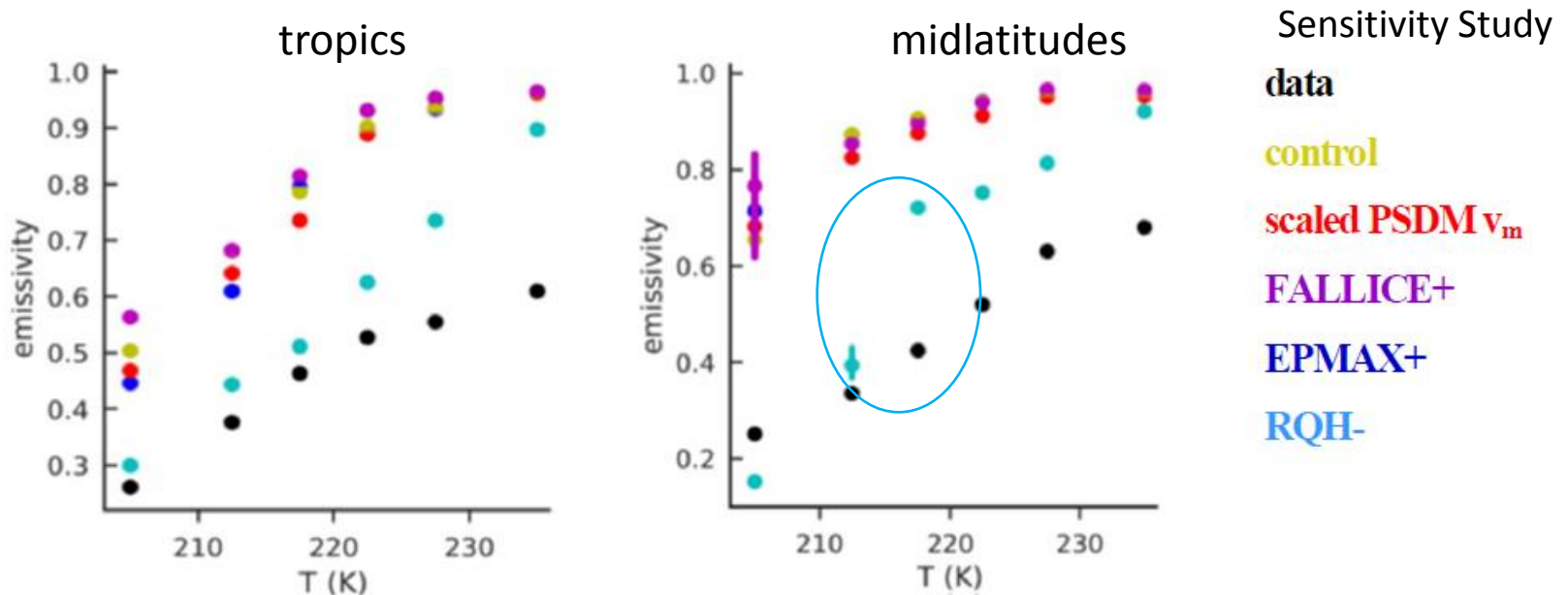
# Summary & Outlook

- **bulk ice cloud schemes should coherently couple  $v_m$  (cloud physics) &  $D_e$  (cloud radiative effects)**  
-> realistic  $v_m$  -> adjusted tuning -> UT water sub-grid variability had to be reduced for radiation balance
- **$v_m = f(\text{IWC}, T)$  instead of  $f(\text{IWC})$ ;  $D_e$  is now directly linked to  $v_m$  (or to same size distribution)**
- **Cloud System diagnostics provides powerful constraints:**  
*new bulk ice schemes -> larger cloud systems & slightly less emissive anvils, in better agreement with AIRS observations*
- **Cloud System Concept links anvils to convection allows process-oriented evaluation:**  
*behavior of anvils with increasing convective depth & along statistical life cycle -> new bulk ice schemes seem to improve this behavior*



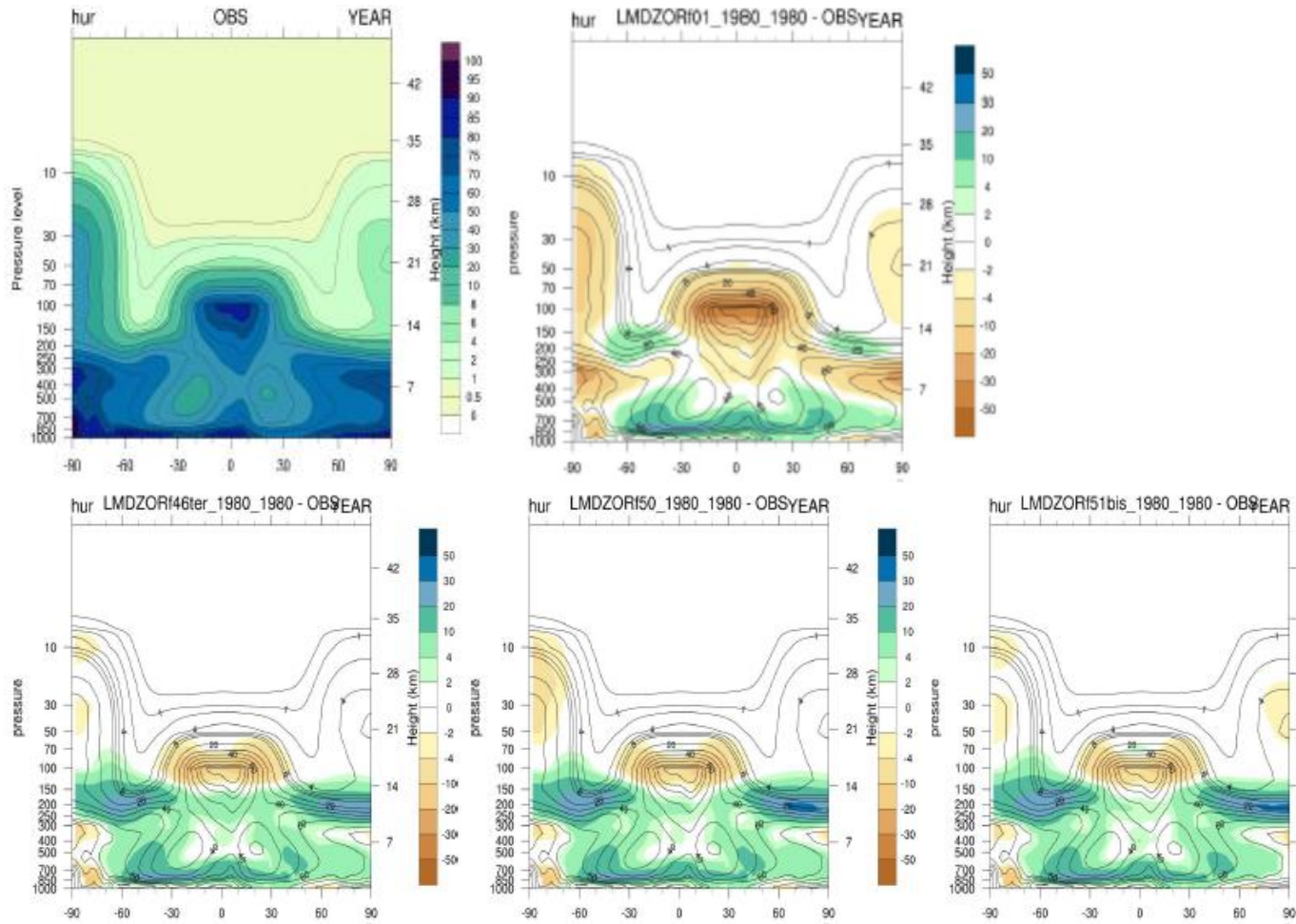
- next step: improve formulation of sub-grid UT rel. water variability (RQH threshold) using AIRS climatology of *Kahn et al. 2009, 2011*

## $\epsilon - T$ relation of UT cloud systems



- Decreasing RQH leads to smaller cloud system emissivity at colder T, in better agreement with the data
- **Midlatitudes: height at which RQH is applied should be different than in tropics (250 hPa)**

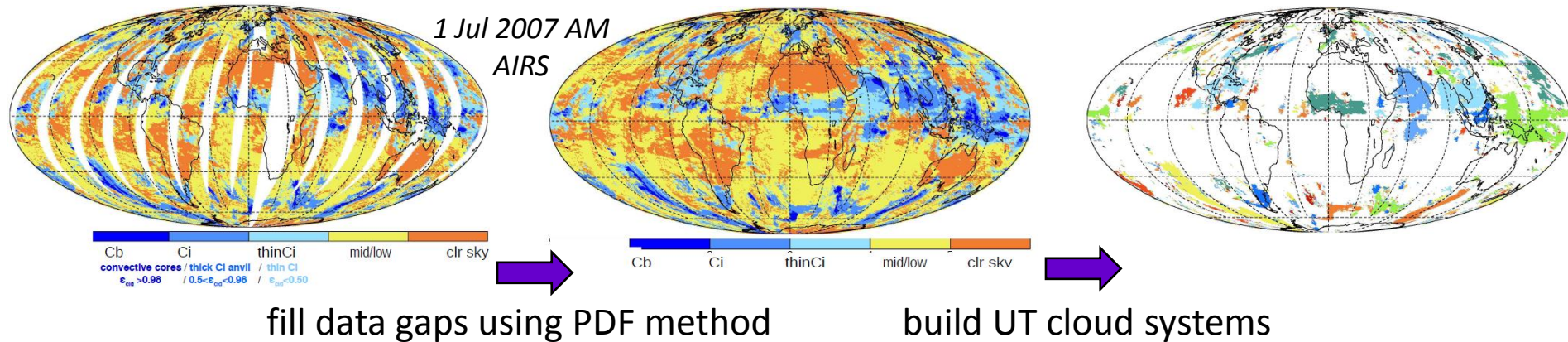
# Atmospheric Humidity changes



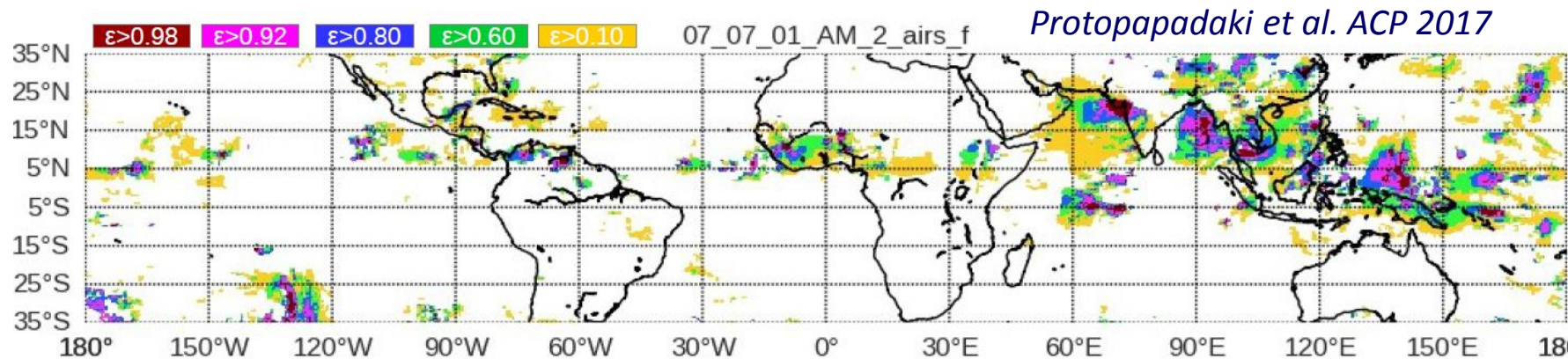
# From cloud retrieval to cloud systems

clouds are **extended objects**, driven by dynamics -> **organized systems**

**Method: 1)** group adjacent grid boxes with high clouds of similar height ( $p_{\text{cld}}$ )



**2)** use  $\varepsilon_{\text{cld}}$  to distinguish **convective core**, **thick cirrus**, **thin cirrus (only IR sounder)**



**30N-30S: UT cloud systems cover 25%, those without convective core 5%**

**50% of these originate from convection (Luo & Rossow 2004, Riihimaki et al. 2012)**

# $v_m - D_e$ Strategies for LMDZ GCM

➤  $v_m = f(\text{IWC}, T)$  of DM08 & SH09

$D_{\text{eff}} = f(v_m)$  of H03 (mean between synoptic & anvil cirrus)

**empirical  $v_m$  &  $D_e = f(v_m)$**

➤  $v_m = \text{F07 PSD momentum \& F15 A-B couples for ice / snow}$

$D_{\text{eff}} = f(v_m)$  of H03 (mean between synoptic & anvil cirrus)

**PSDM  $v_m$  &  $D_e = f(v_m)$**

or

$D_m = \text{F07 PSD momentum}$

$D_{\text{eff}} = 0.17 \times D_m$  (assumed aggregates, *fitted to  $D_{\text{eff}} - v_m$ , Baran et al. 2016*)

**PSDM  $v_m, D_m$  &  $D_e = f(D_m)$**

*Next step: use for radiative transfer directly*

*single scattering property (SSP) parameterization  $f(\text{IWC}, T)$  of Baran et al. 2016  
(same PSDs as in F07)*

# Tuning parameters most relevant for high clouds

FALLICE: scaling of fall speed

EPMAX: maximum precipitation efficiency

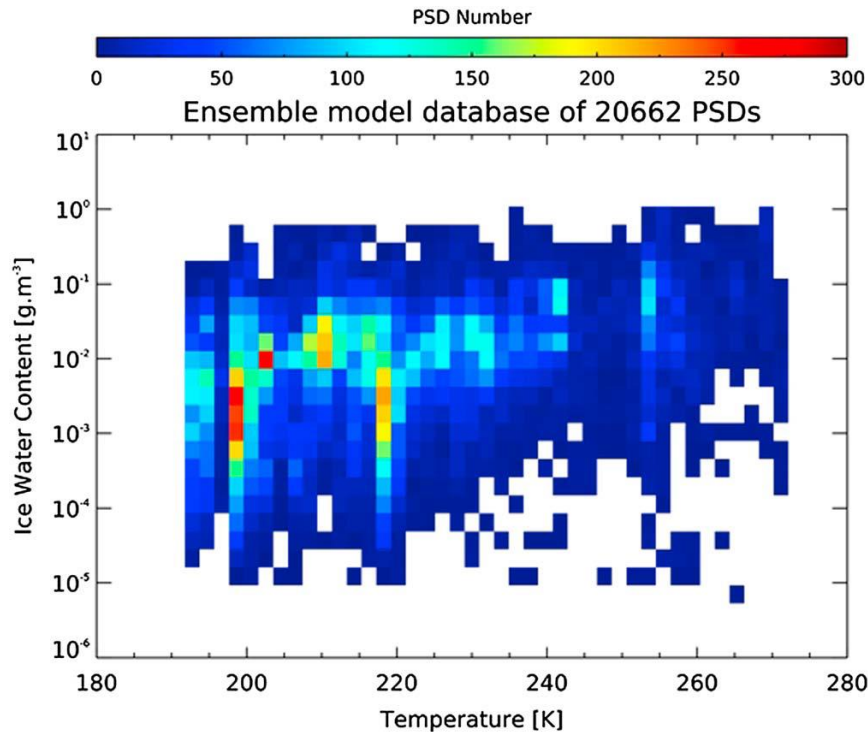
RQH: Rel. width of sub-grid water distribution above 250 hPa

	FALLICE	EPMAX	RQH
CNTRL	0.3	0.9985	0.40
<i>new parameterizations</i>			
empirical $v_m$ & $D_{\text{eff}}(v_m)$	0.9	0.9990	0.08
PSDM $v_m$ & $D_{\text{eff}}(D_m)$	0.9	0.9988	0.11
PSDM $v_m$ & $D_{\text{eff}}(v_m)$	0.9	0.9988	0.11

# De <-> ice crystal size distribution

cloud physics – radiation parameterization

*Baran et al. JGR 2014*



describe single scattering properties ( $\beta_{\text{ext}}$ ,  $\beta_{\text{sca}}$ ,  $g$ ) as function of IWC / T

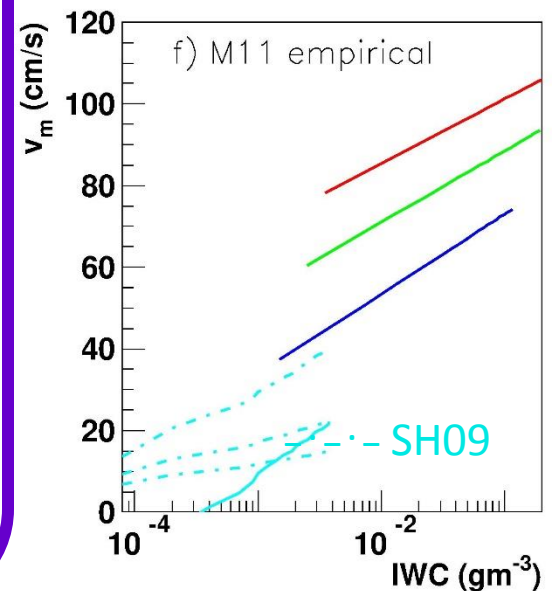
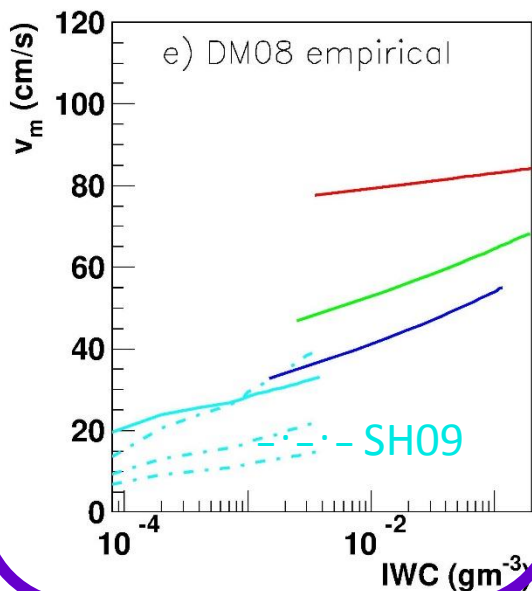
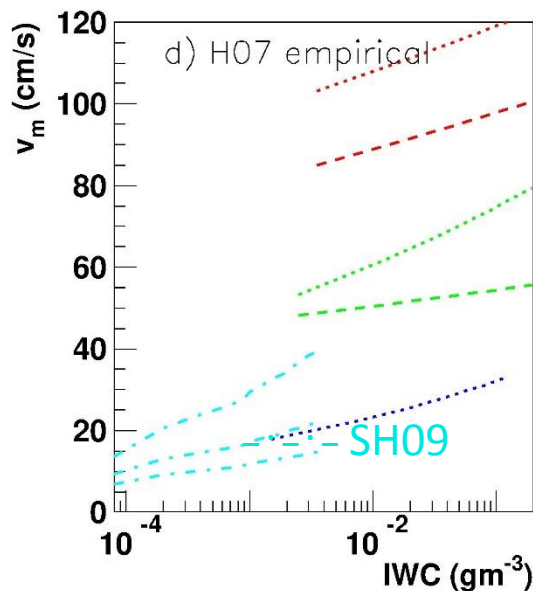
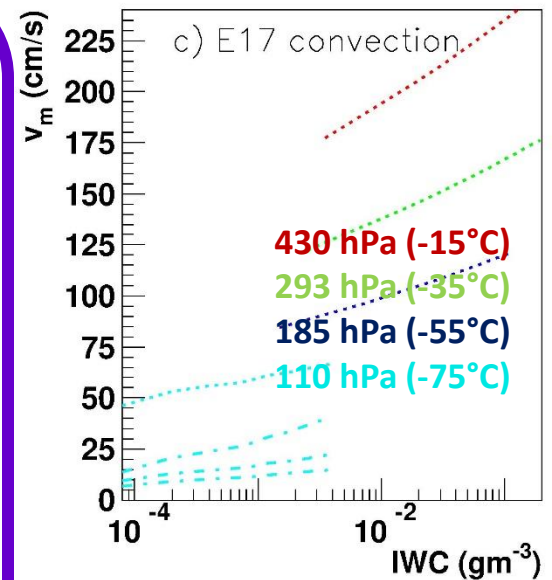
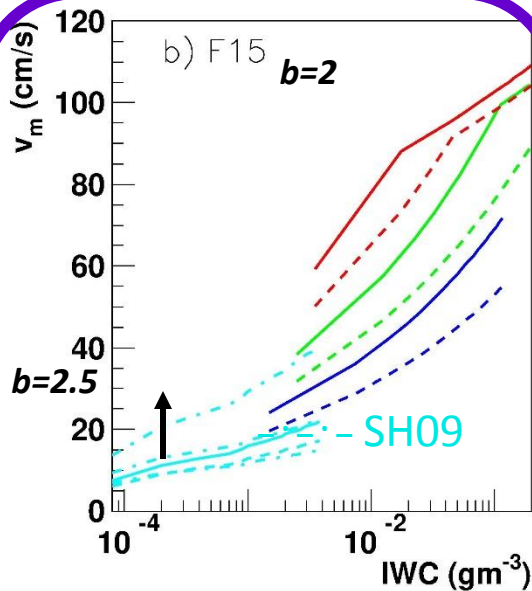
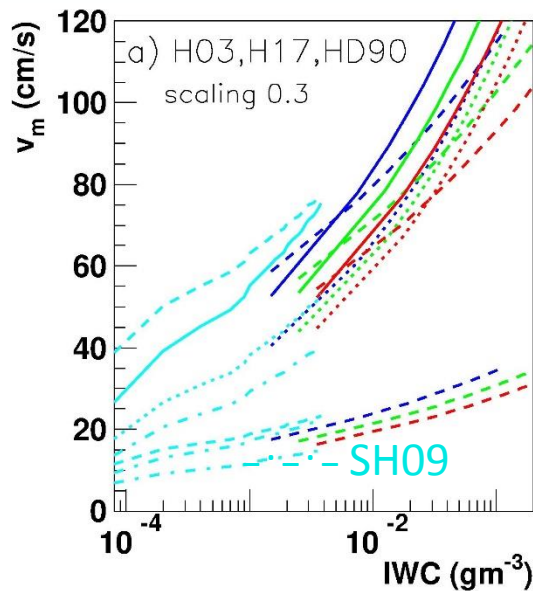
using parameterized in situ size distributions

ensemble model size distribution has 6 habits as fct of size

integrated in Met Office Unified Model



# Synthesis : $v_m = f(T, IWC)$



..... convective outflow

---- synoptic cirrus

— both

# Analytical expressions: D - > bulk properties

PSD generally expressed as :

$$N(D) = N_0 D^\mu e^{-\lambda D}$$

D maximum dimension ice crystals,  $\lambda$  slope,  $\mu$  dispersion; exponential PSD:  $\mu=0$

decrease in  $\lambda$  -> PSD broadening;

PSD bends down for smaller crystals, when  $\mu > 0$

Cirrus bulk properties = mass- or area-weighted integrals of PSD,

with

$$m = a D^b \quad A = c D^d$$

$b=3$  for sphere,  $b = 2$  for aggregates,  $b = 1.5$  for dendrites

$$IWC = \int m(D) N(D) dD = \int a N_0 D^{b+\mu} e^{-\lambda D} dD = a N_0 \Gamma(b+\mu+1)/\lambda^{(b+\mu+1)}$$

$$D_m = \int D^3 N(D) dD / \int D^2 N(D) dD = (b+\mu+0.67)/\lambda \quad \text{Mitchell et al. 1991}$$

coefficients depend on ice crystal habit & size, can they be assumed to be constant with T ?  
Field 2007 supposes aggregates ( $b = 2$ ) in PSD moment parameterization

$$v_t \sim (m/A)^{0.6} D^{0.3} f(p)$$

$$v_t = A D^B$$

$$v_m = \int m(D) v_t(D) N(D) dD / \int m(D) N(D) dD$$

A & B for 3 D ranges  
(Heymsfield et al. 2013)

A & B for 2 D ranges  
(Furtado et al. 2015)

$$v_m = A D_m^B \quad \text{Heymsfield et al. 2013}$$

# PSD moment parameterization

*Field et al. 2007 (F07):* 13000 PSDs, of 4 field campaigns (tropics & midlatitudes)

$$\mathbf{M}_n = \int \mathbf{D}^n \mathbf{N}(\mathbf{D}) d\mathbf{D} = \mathbf{A}(n) * e^{\mathbf{B}(n)*T} * \mathbf{M}_2^{\mathbf{C}(n)}$$

$$\mathbf{M}_2 = \text{IWC} / a \quad \mathbf{D}_m = \mathbf{M}_3 / \mathbf{M}_2 = a \mathbf{M}_3 / \text{IWC} \quad \mathbf{v}_m = \mathbf{A} \mathbf{D}_m^{\mathbf{B}} \quad \text{---}$$

$$\mathbf{v}_m = \mathbf{A} \mathbf{M}_B$$

ice :  $A = 1042 / B = 1.0$  (SI units)

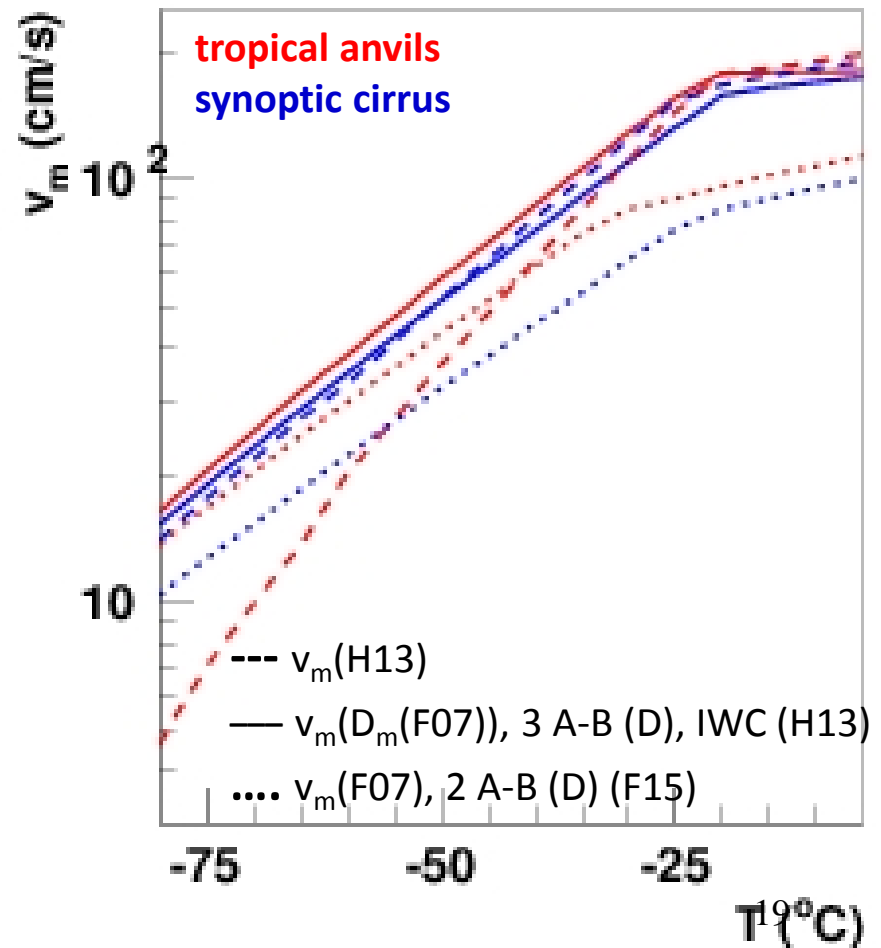
snow :  $A = 14.3 / B = 0.416$

for each D the smallest  $v_t$  of both:

ice  $D < 600 \mu\text{m}$  & snow  $D > 600 \mu\text{m}$

*Furtado et al. 2015 (F15)*

slope of  $v_m$  (F07-H13) & (F07-F15)  
 same for tropical anvils & synoptic  
*(parameterization combines measurements)*  
 compares well with synoptic cirrus of H13  
 2 A-B instead of 3 A-B : smaller  $v_m$   
 max values at 100 cm/s



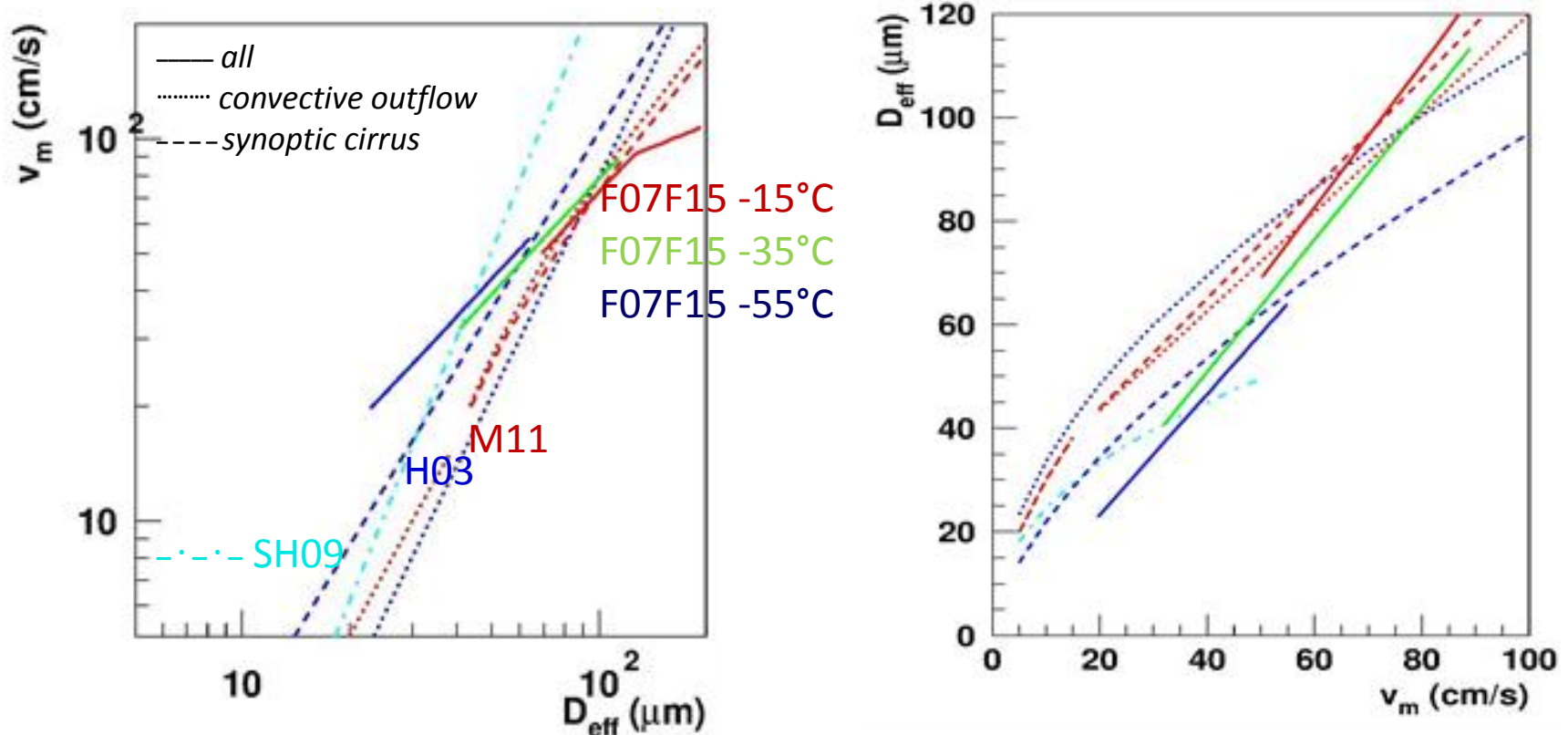
# Synthesis : $v_m - D_e$

Analytical expression of  $D_e$ :

$$D_e = 3/2 \text{ IWC} / (\rho_{\text{ice}} \int A(D) N(D) dD) = 3 a \Gamma(b+\mu+1) / (2 \rho_{\text{ice}} c \Gamma(d+\mu+1))$$

uncertainties:  $a$ : 54%,  $c$ : 11%,  $b$  &  $d$ : < 10% (e.g. Erfani & Mitchell 2016)

->  $D_e - v_m$  relationships from field campaigns:



$D_{\text{eff}} = f(v_m)$  of H03 (mean between synoptic & anvil cirrus)

$D_m$  of F07 PSD momentum,  $D_{\text{eff}} \sim D_m$  (as  $b=2$ , Baran et al. 2016)